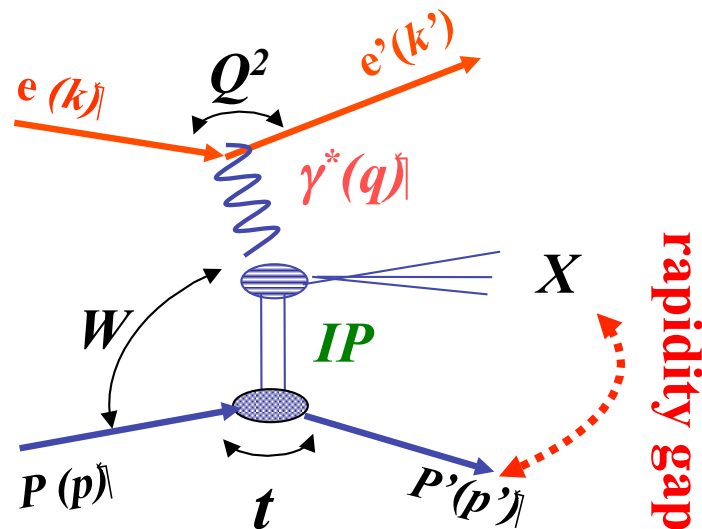


Exclusive diffraction from HERA to EIC/eRHIC

Salvatore Fazio

Brookhaven National Laboratory (Upton NY, USA)



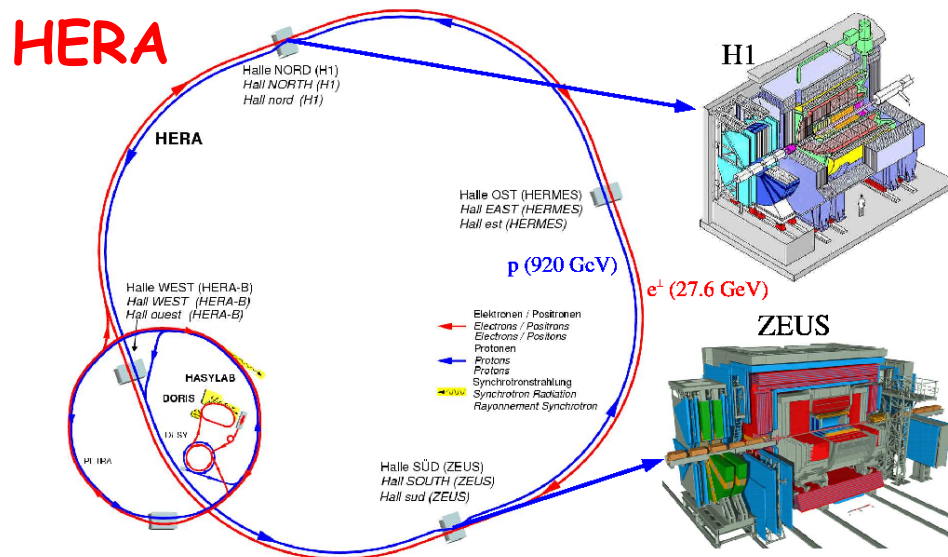
Summer school on
Diffractive and Electromagnetic Processes at high energies
Acquafredda (Maratea, Italy), Sep. 06 – 10, 2010

Planing of the talk

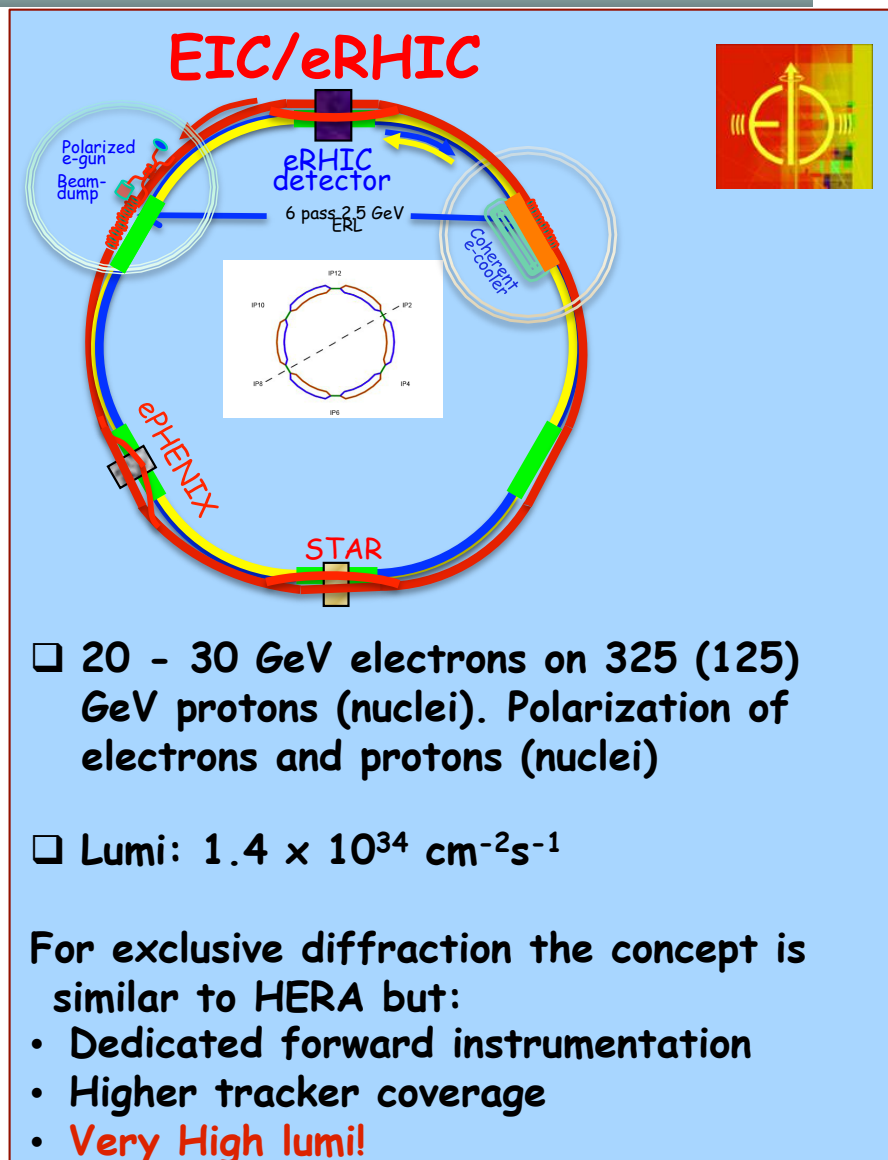
- Exclusive Diffraction
 - Real photon (DVCS) and Vector Meson Production
- The EIC/eRHIC project
 - t measurement with an eRHIC
- Pomeron in ep collisions
- A Regge-type description of the exclusive diffraction
- Summary

From HERA to an EIC collider

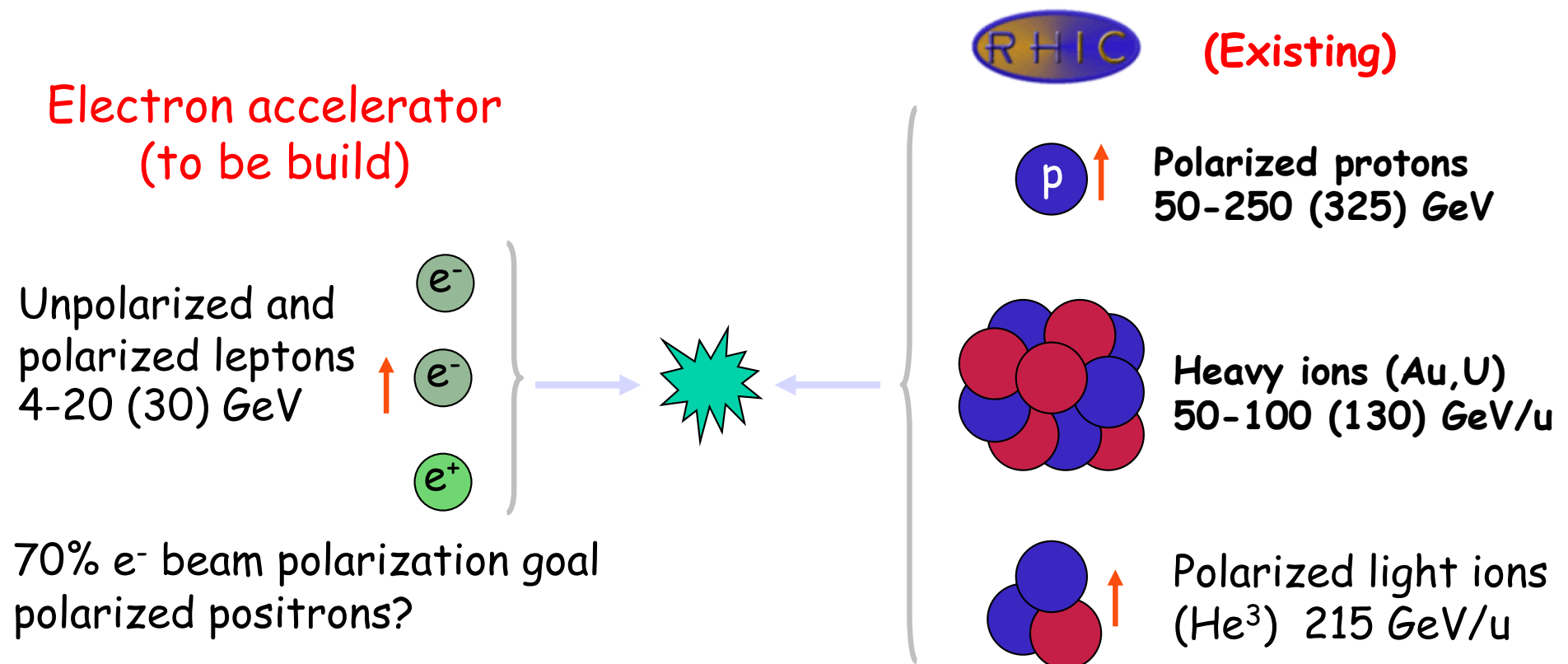
- 27.5 GeV electrons/positrons on 920 GeV protons
→ $\sqrt{s}=318$ GeV
- 2 colliding experiments: **H1** and **ZEUS**
- Total lumi collected at HERA: **500 pb⁻¹**,
polarization of electrons/positrons at HERA II



Detectors not originally designed for forward physics, Roman pots added later



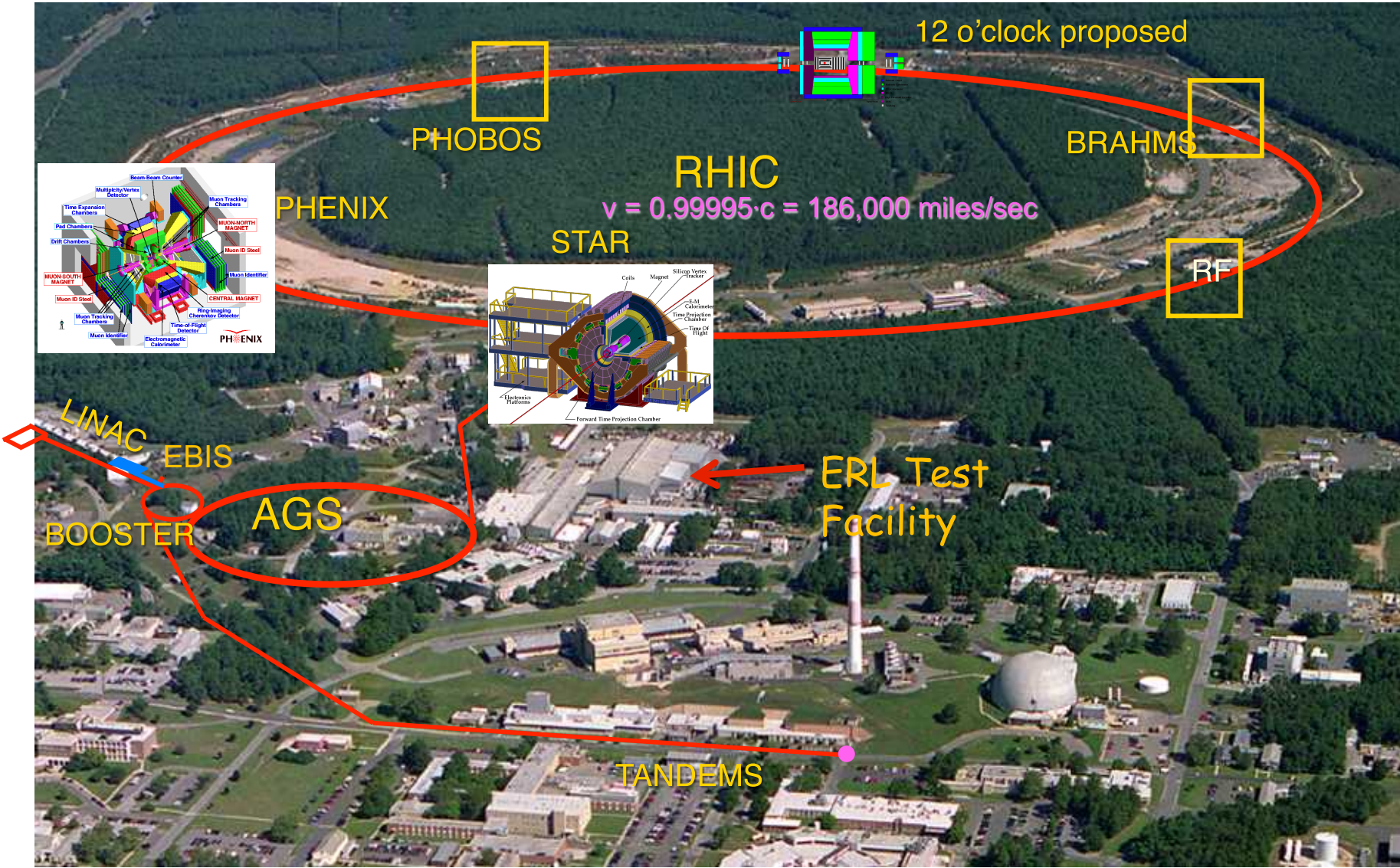
The eRHIC idea



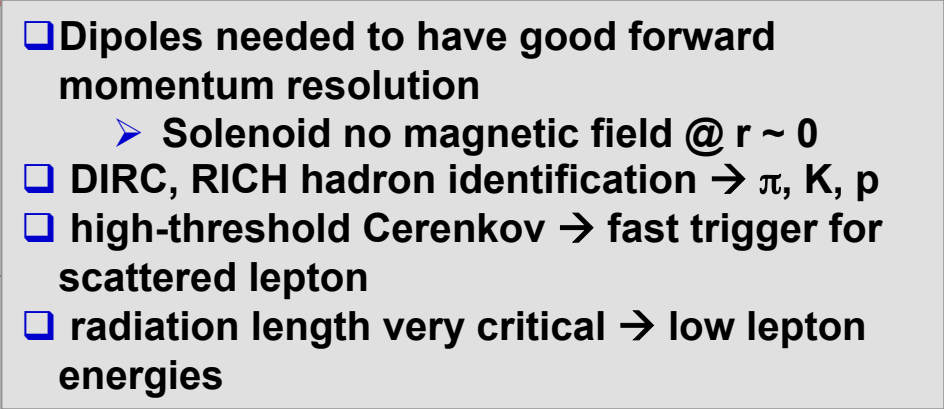
Center mass energy range: $\sqrt{s}=28-200$ GeV
longitudinal and transverse polarisation for p/He-3 possible

Mission: Studying the Physics of Strong Color Fields

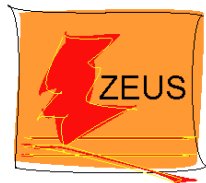
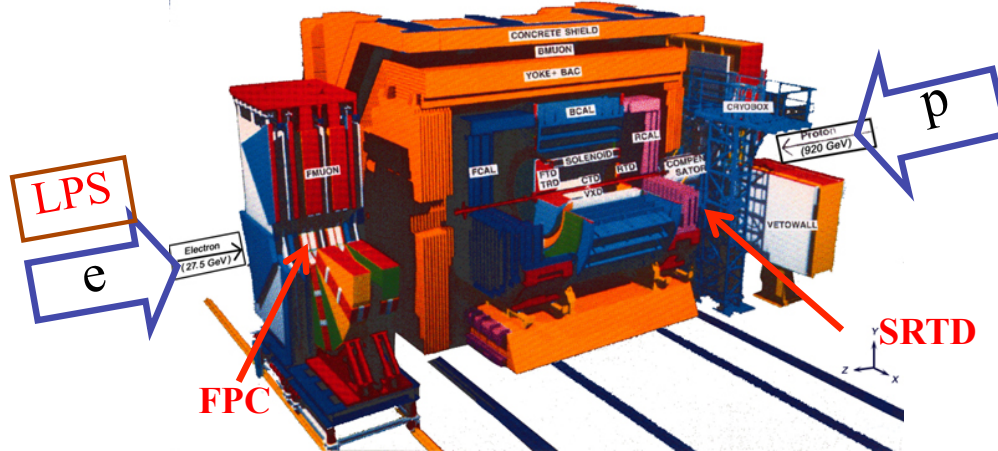
The RHIC site @ BNL



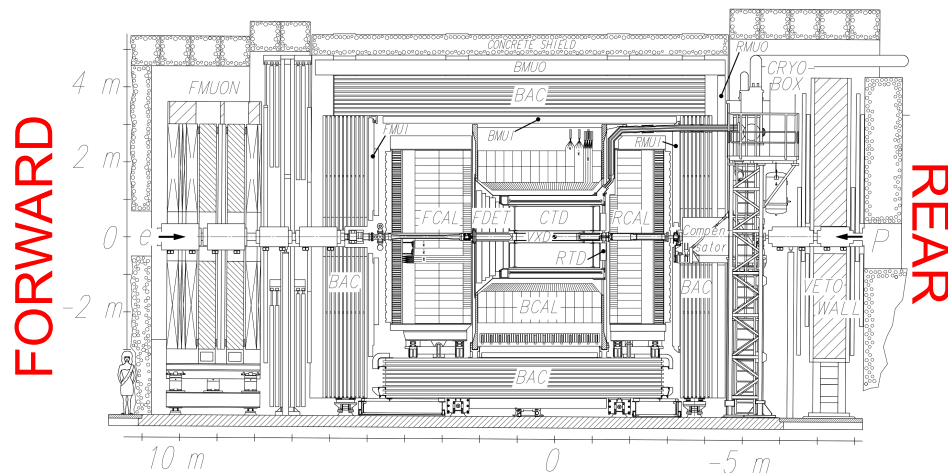
The EIC detector



from ZEUS to new detector @ EIC



Overview of the ZEUS Detector
(longitudinal cut)

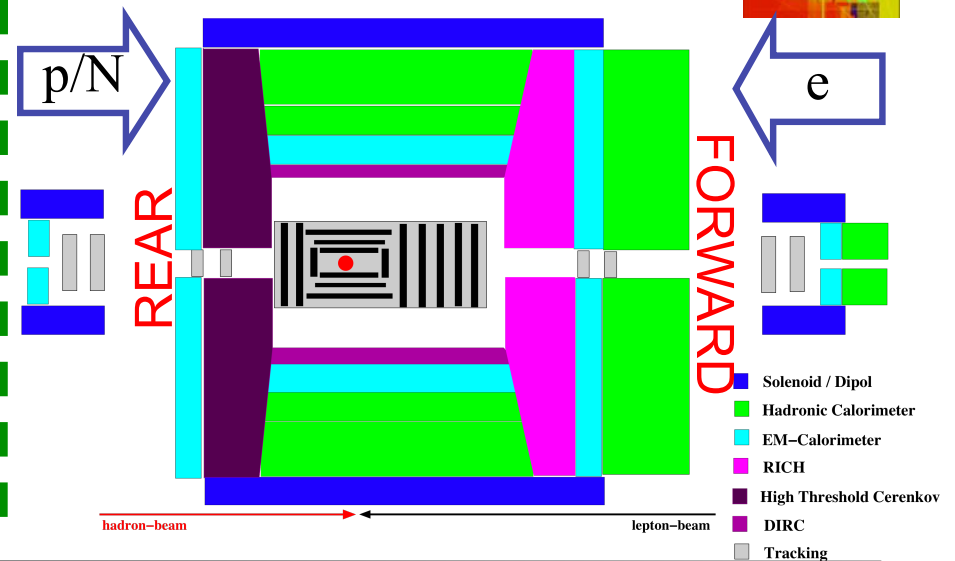


Similarities:

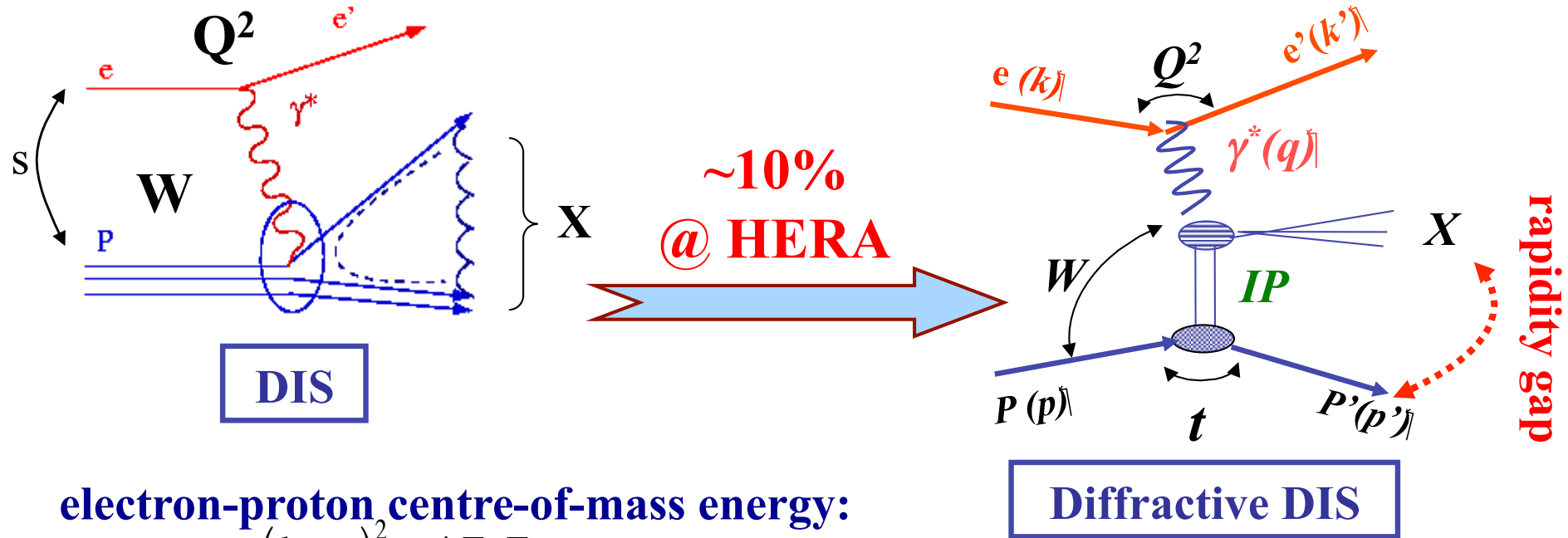
- Hermetic
- Asymmetric

Important (possible) improvements:

- Central Tracking Detector
- better em calorimeter resolution
- Very forward calorimetry
- Rear Trackers!
- **Roman pots** (crucial!)



Diffraction in ep collisions



electron-proton centre-of-mass energy:

$$s = (k + p)^2 \approx 4E_e E_p$$

photon virtuality:

$$Q^2 = -q^2 = -(k - k')^2 \approx 4E_e E_e' \sin^2 \frac{\theta}{2}$$

photon-proton centre-of-mass energy:

$$W^2 = (q + p)^2, \text{ where } m_p < W < \sqrt{s}$$

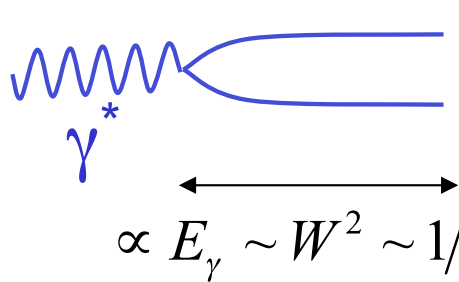
square 4-momentum at the p vertex:

$$t = (p' - p)^2$$

- p escapes in the beam pipe
- no quantum numbers exchanged btw γ^* and $p \rightarrow$ no colour flux \rightarrow large rapidity gap
- Providing a pQCD motivated description of strong interactions

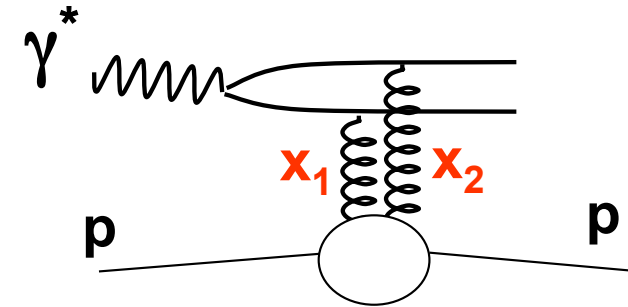
Diffraction in ep collisions

Before HERA diffraction was studied in hadron-hadron interactions

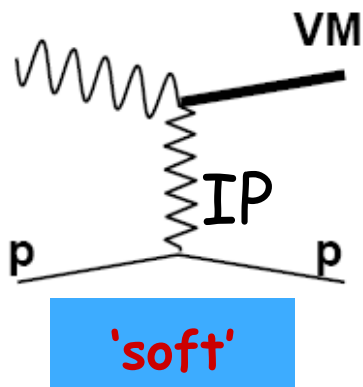


$$\frac{q}{\bar{q}} \propto \frac{1}{\sqrt{Q^2 + M_{q\bar{q}}^2}}$$

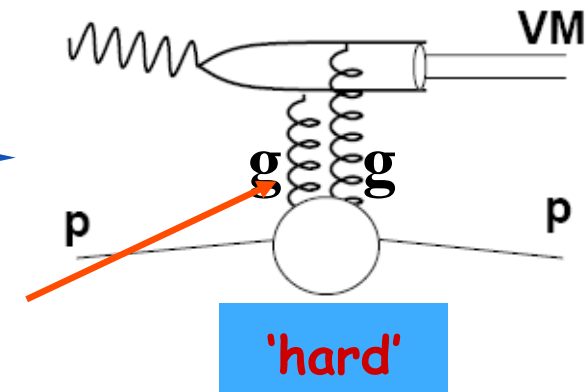
$$\propto E_\gamma \sim W^2 \sim 1/x$$



Exclusive diffractive production: $\rho, \phi, J/\psi, Y, \gamma$



gluon exchange
(pQCD)



$$\sigma(W) \propto W^\delta$$



δ Expected to increase from soft (~ 0.2 , "soft Pomeron") to hard (~ 0.8 , "hard Pomeron")

$$\frac{d\sigma}{dt} \propto e^{-b|t|}$$

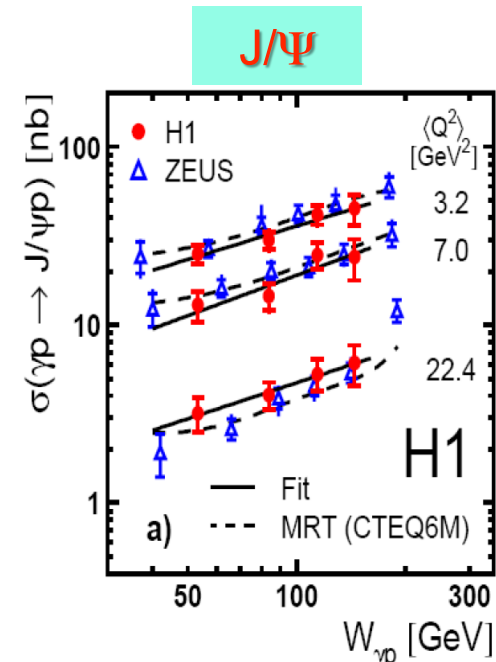
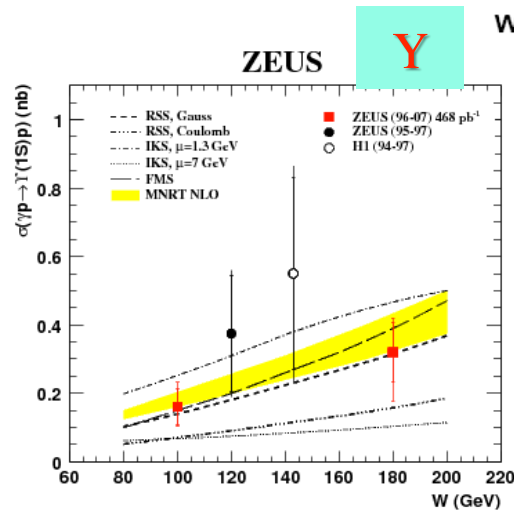
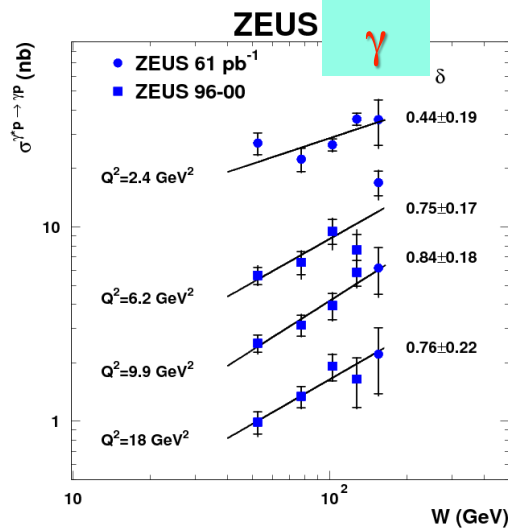
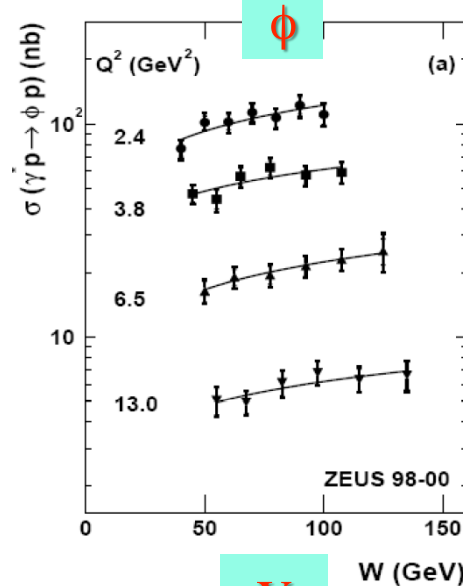
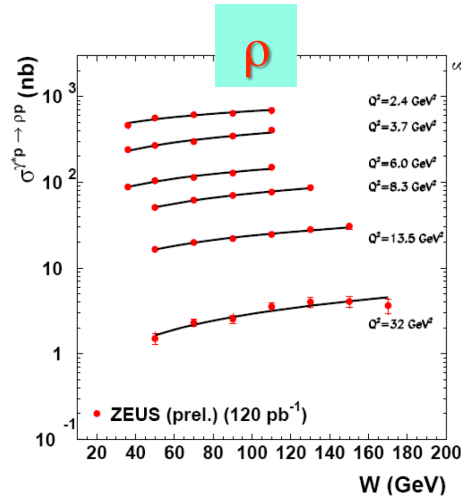


b expected to decrease from soft ($\sim 10 \text{ GeV}^{-2}$) to hard ($\sim 4-5 \text{ GeV}^{-2}$)

VM electroproduction: HERA measurements

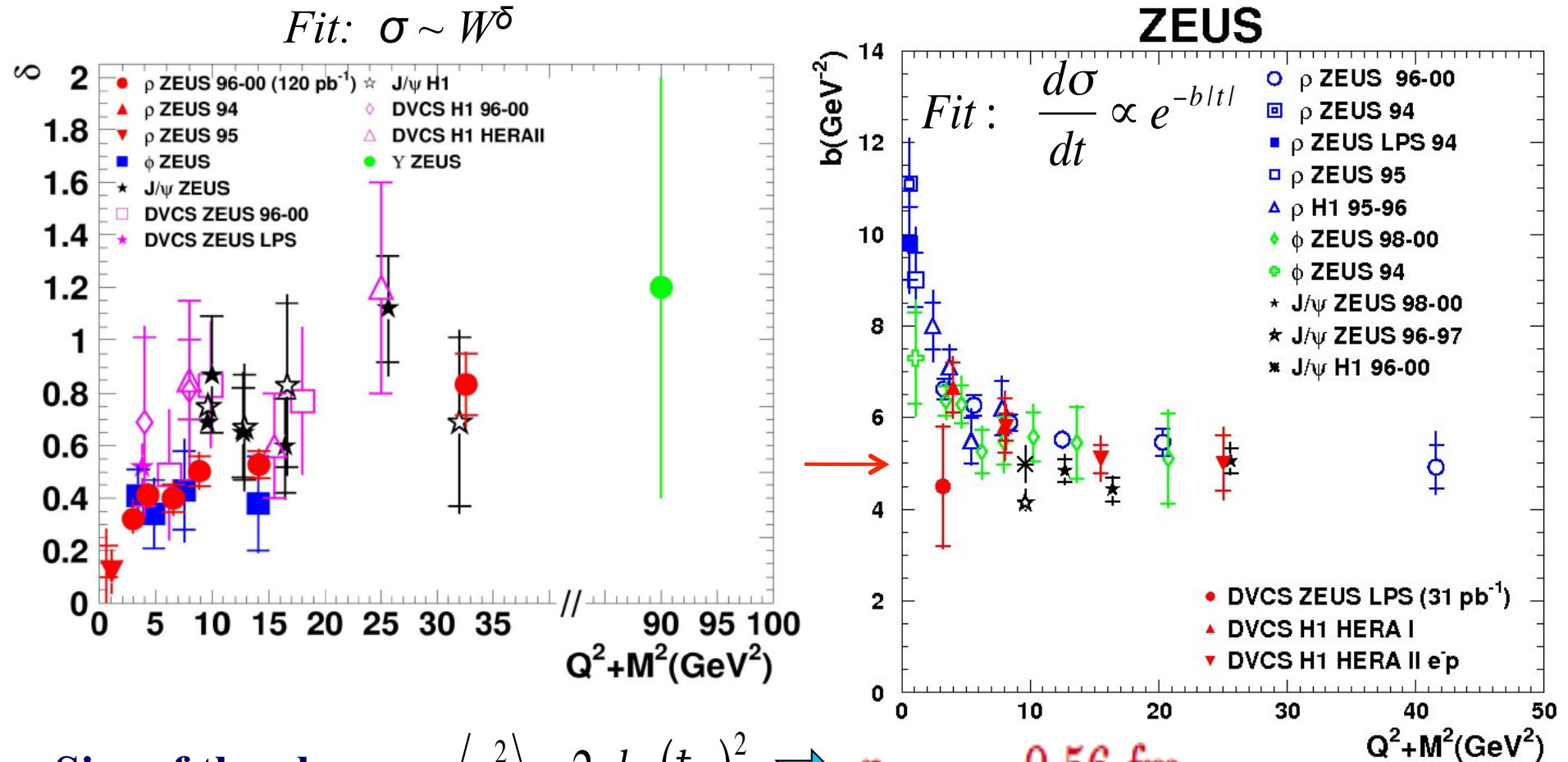
Large variety of processes to study dynamics versus scales: M_V^2 , Q^2 , t

Probe the transition to the hard regime

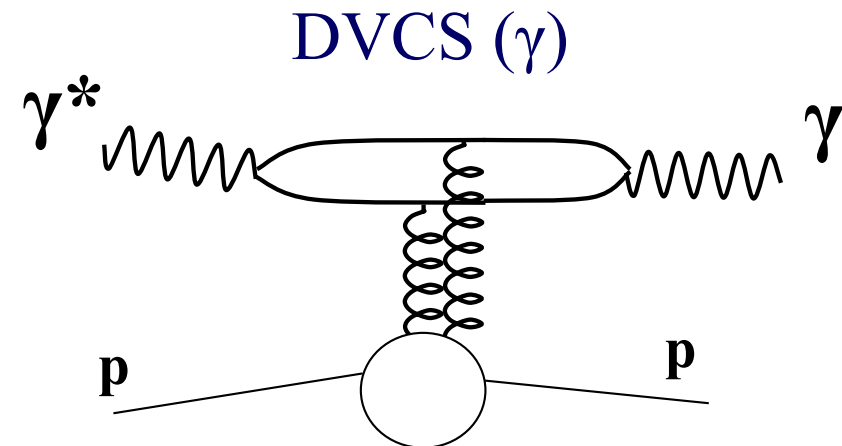
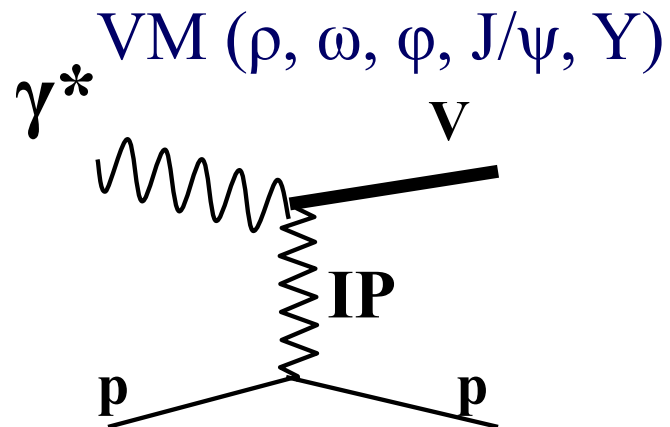


W-dependence: summary

Summary of the W,t-dependence for all VMs + DVCS measured at HERA



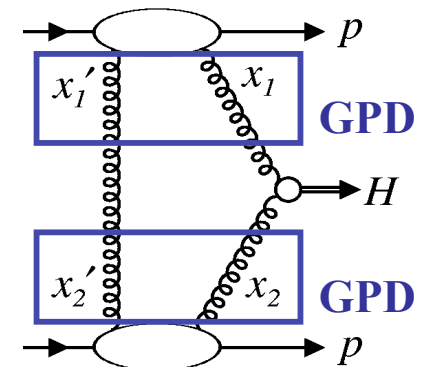
Deeply Virtual Compton Scattering



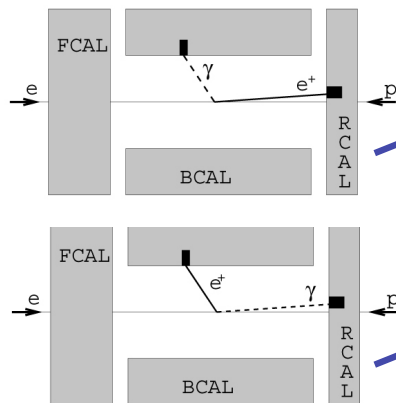
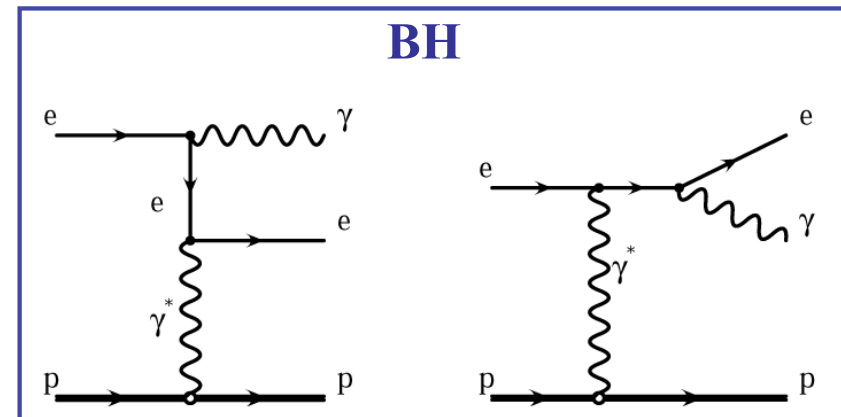
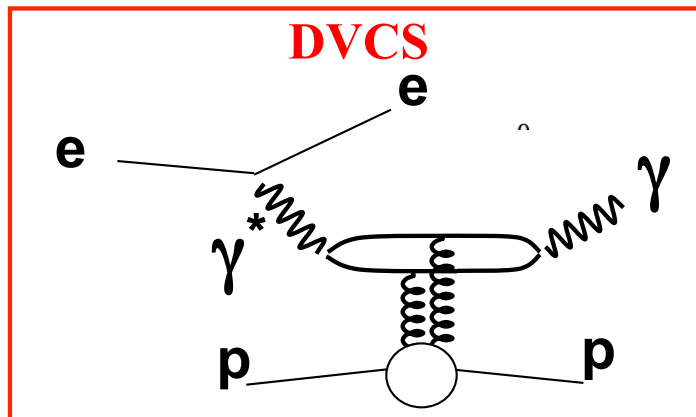
Scale: $Q^2 + M^2$ \longleftrightarrow Q^2

DVCS properties:

- Similar to VM production, but γ instead of VM in the final state
- No VM wave-function involved
- Important to determine Generalized Parton Distributions sensible to the correlations in the proton
- GPD_s are an ingredient for estimating diffractive cross sections at LHC



DVCS @ ZEUS - Strategy



γ sample: no tracks matching to the second candidate

(DVCS+BH)

e sample: a track match to the second candidate

(BH+ dilepton + J/ψ)

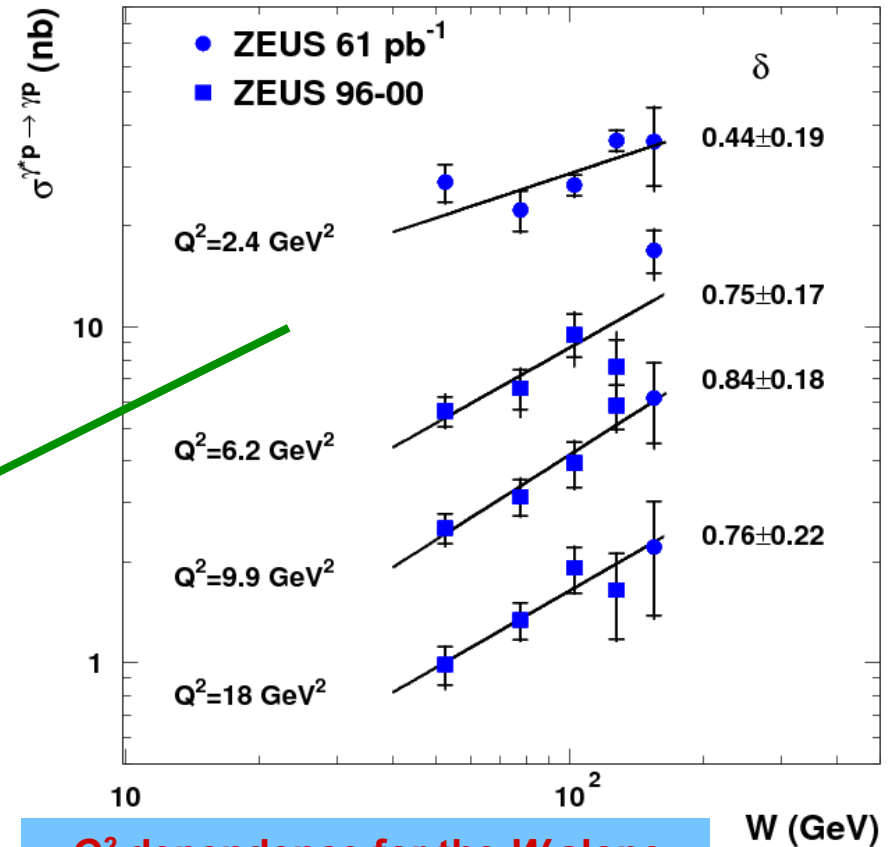
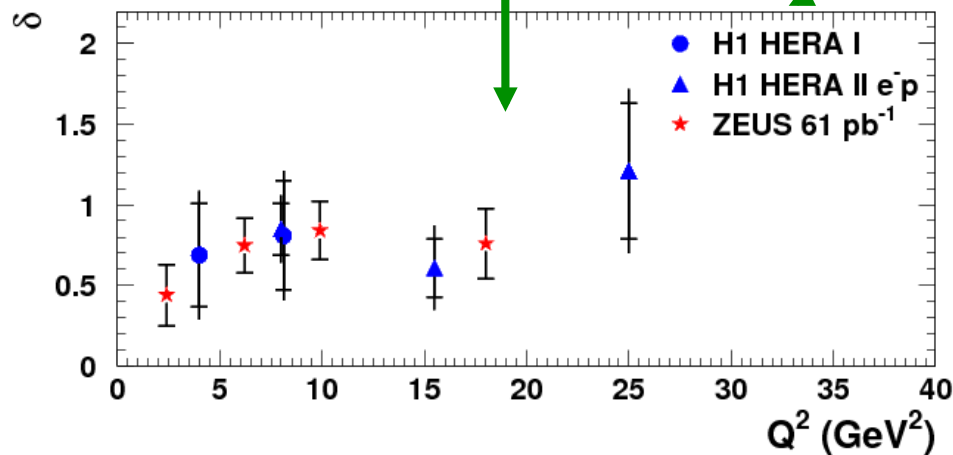
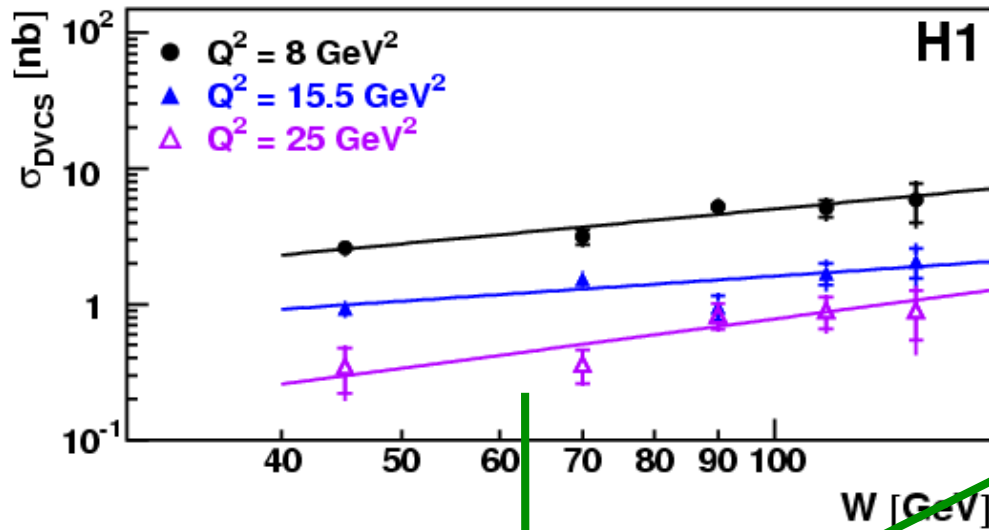
Wrong-sign sample: a negative track match to the second candidate

(dilepton + J/ψ)

DVCS: W -dependence

Fit: $\sigma \sim W^\delta$

ZEUS



Q^2 dependence for the W slope
not clear within the uncertainties!

ZEUS: JHEP05(2009)108

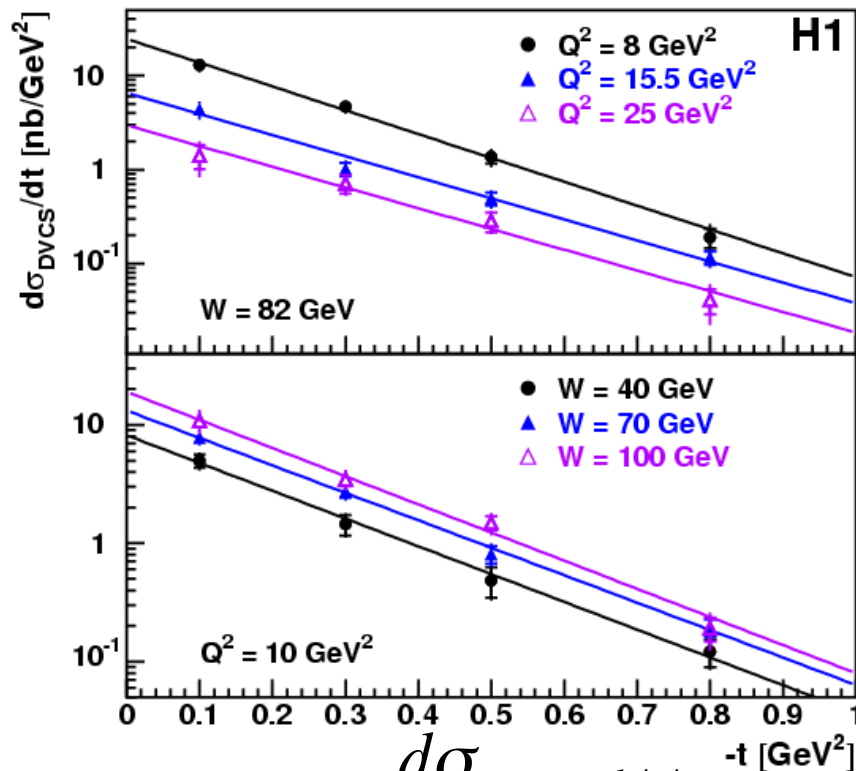
H1: Phys.Lett.B659:796-806,2008

t dependence

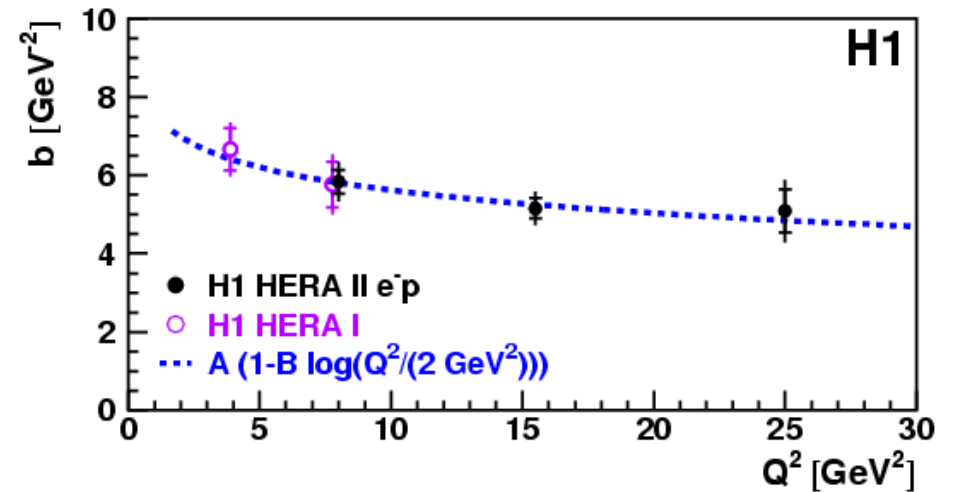


The measured indirectly:

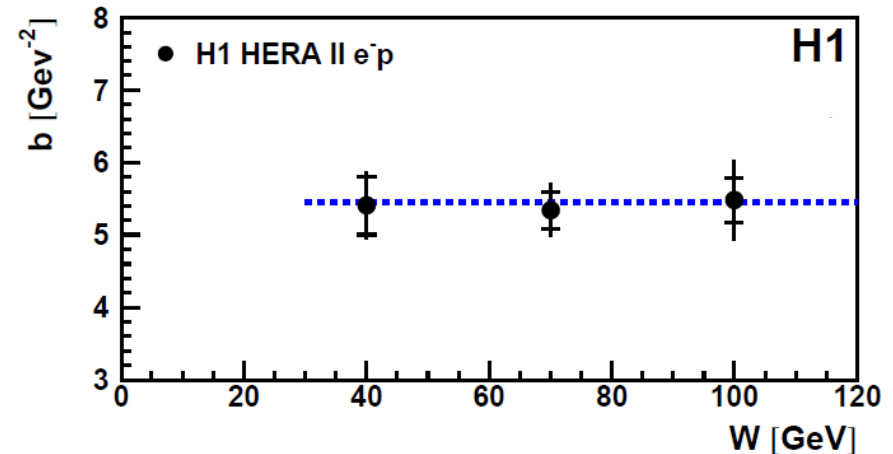
$$t \sim \left(P_{T\gamma}^2 + P_{T_e}^2 \right)^2$$



$$\text{Fit: } \frac{d\sigma}{dt} \propto e^{-b|t|}$$

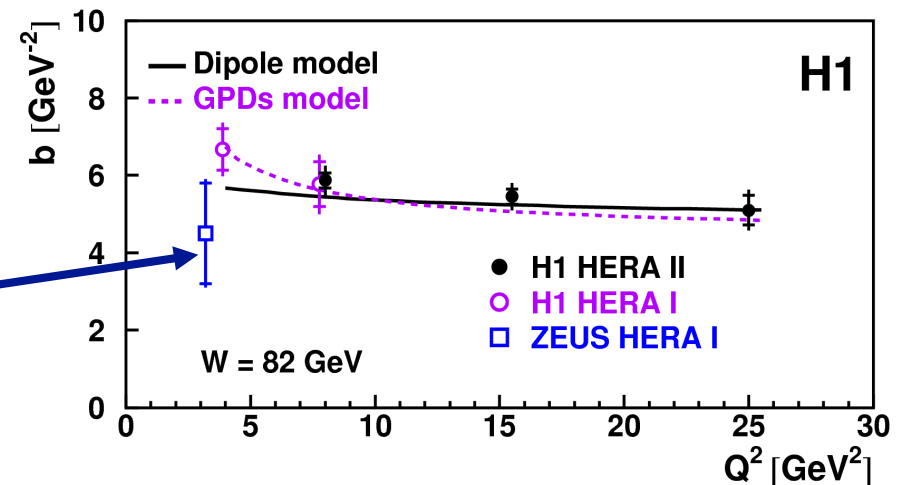
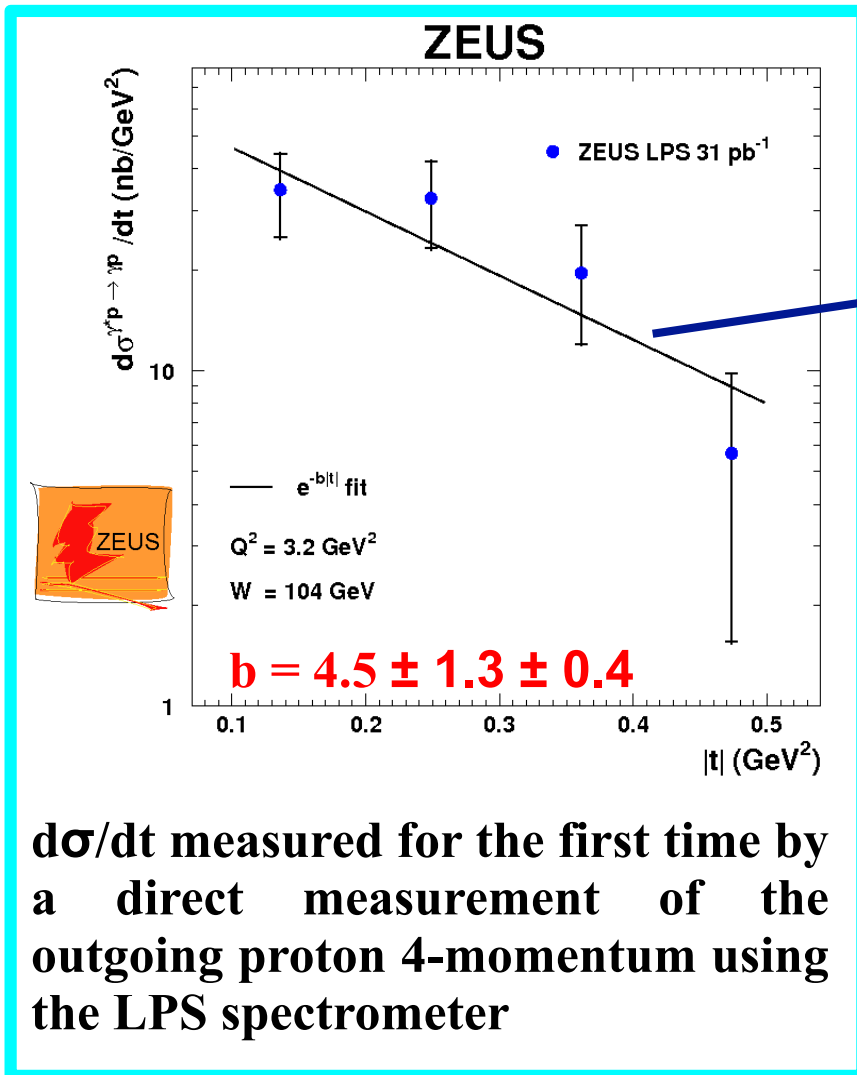


b decreases with increasing Q^2



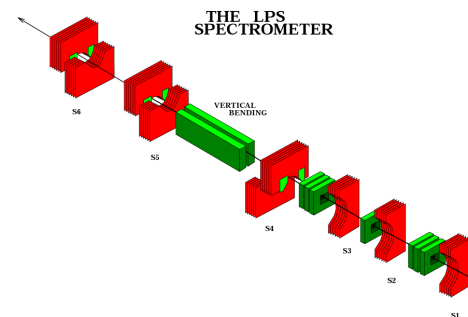
No evidence for W dependence of b

t dependence



The ZEUS result is in agreement with H1

...nevertheless it seems to suggest a lower trend!



And at EIC...?

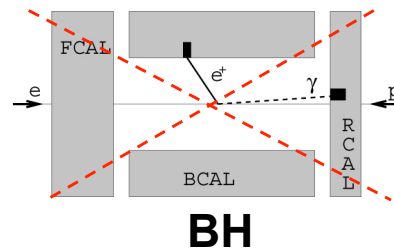
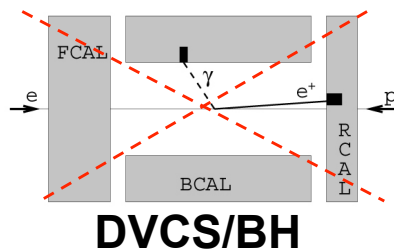
To successfully measure t indirectly from the electron and photon candidates

$$t \sim \left(P_{T_\gamma}^2 + P_{T_e}^2 \right)^2 =$$

it is important:

- ❖ Tracker coverage (tracker has higher momentum resolution than Cal!)

Reso of the CTD @ ZEUS: $\sigma(pT)/pT = 0.0058pT \oplus 0.0065 \oplus 0.0014/pT$



Red dashed line shows the CTD acceptance at ZEUS

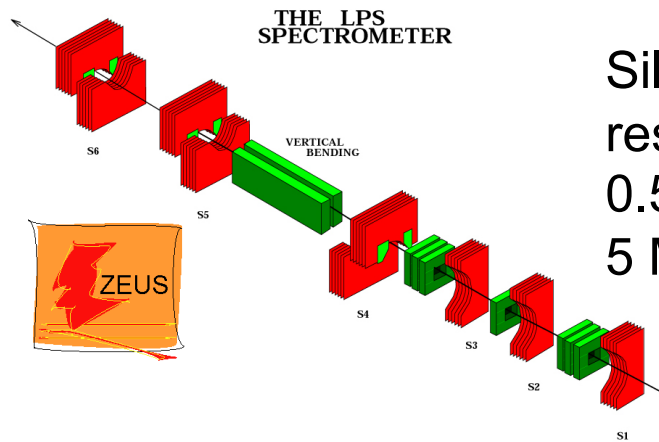
Always measure a track when we can → better momentum resolution but not only... More acceptance for DVCS!! See the cut on $\theta_\gamma > 2.8$ rad

- ❖ High resolution em calorimetry (crucial! Remember that one particle is a photon!)

For ZEUS it was $\sigma(E)/E = 0.18/\sqrt{E}$ and was too weak for good t resolution

And at EIC...?

But... is an indirect measurement of t really an issue for EIC?
We'll get roman pots in the forward region at EIC!



Silicon micro-strips
resolution:
0.5% for P_L
5 MeV for P_T

$$L = 27.77 \text{ pb}^{-1}$$



55 events (DVCS + BH)

for eRHIC: $1.4 \cdot 10^{34} \cdot E_p / 325 \text{ cm}^{-2}\text{s}^{-1}$

assuming 50% operations efficiency one week corresponds to:

$$L(1 \text{ w}) = 0.5 \cdot 604800 (\text{s in a week}) \cdot (1.4 \cdot 10^{34} \text{ cm}^{-2}\text{s}^{-1}) = 4 \cdot 10^{39} \text{ cm}^{-2} = 4000 \text{ pb}^{-1}$$



+ Roman Pots \longrightarrow ~ 7900 events/week !!

assuming the same acceptance as LPS (~2%)

Calculations are absolutely not rigorous! But give an idea...

Pomeron trajectory

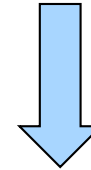
Regge-type: $\frac{d\sigma}{dt}(W) = \exp(b_0 t) \cdot W^{2[2\alpha_{IP}(t)+2]}$

First measured in h-h scattering

Linear Pomeron trajectory

$$\alpha(t) = \alpha(0) + \alpha'(t)t$$

$\alpha(0)$ and α' are fundamental parameters to represent the basic features of strong interactions



Soft Pomeron values

$$\alpha(0) \approx 1.09$$

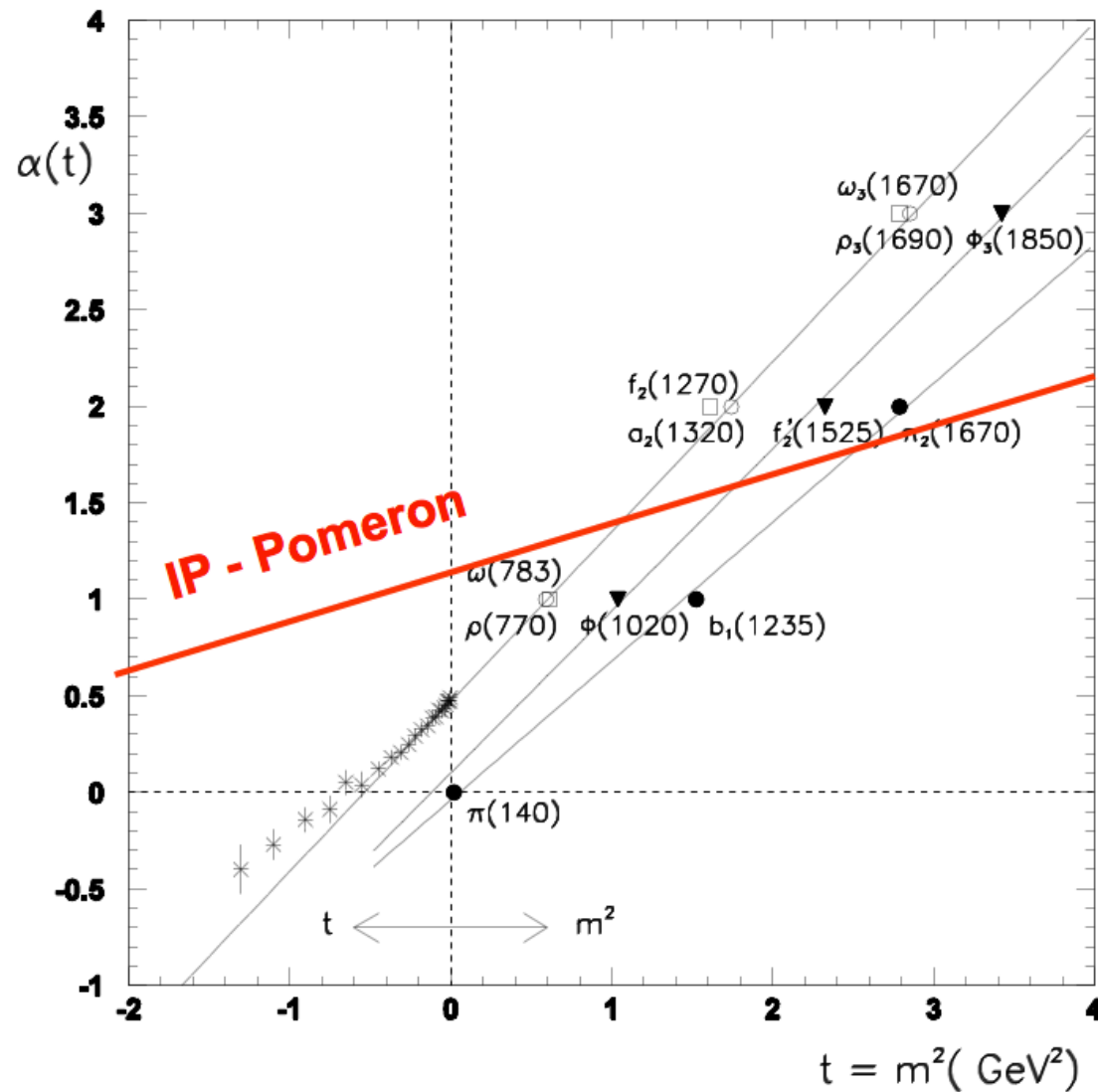
$$\alpha' \approx 0.25$$

$\alpha(0)$: determines the energy dependence of the diff. Cross section

$$\frac{d\sigma}{dt} \propto \exp(b_0 t) \cdot W^{4\alpha(t)-4} = W^{4\underline{\alpha(0)}-4} \cdot \exp(bt); \quad b = b_0 + 4\underline{\alpha'} \ln(W)$$

α' : determines the energy dependence of the transverse extension system

Pomeron trajectory in hh collisions



$$\alpha(t) = \alpha(0) + \alpha'(t)t$$

$$\sigma_{tot}(h-h) = A s^{\alpha_{IP}(0)-1} + B s^{\alpha_{IR}(0)-1}$$

Pomeron:

$$\alpha_{IP}(t) = 1.09 + 0.25t$$

Reggeon:

$$\alpha_{IR}(t) = 0.45 + t$$

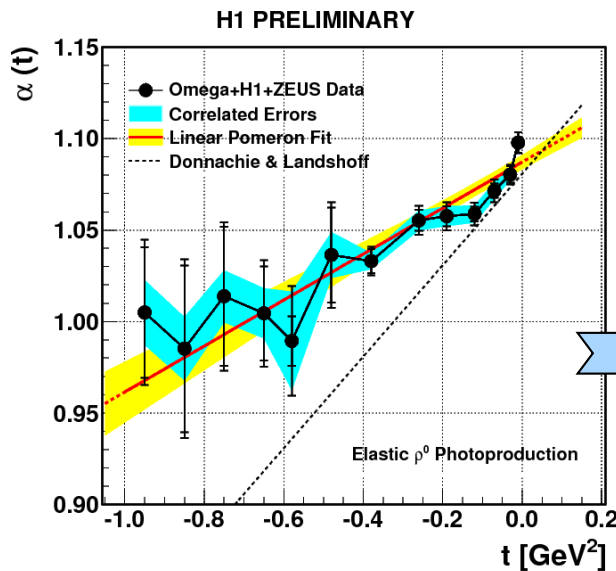
Pomeron trajectory in ep collisions

Trajectory varies
with the scale

$$\alpha_{IP}(t) = 1.09 + 0.25t \quad \text{measured in hh scattering}$$

In electron-proton interactions:

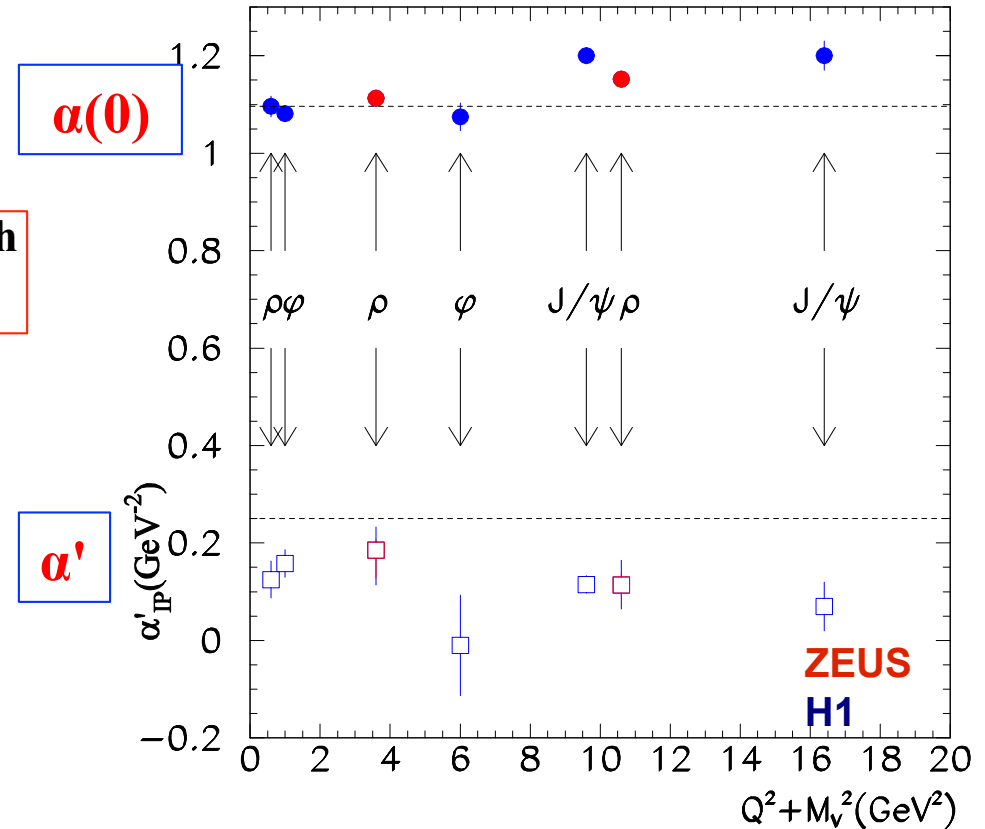
- As the scale gets harder the intercept grows up to **1.2**
- The Pomeron slope is around **~ 0.1**



ρ (light VM); elastic production (low $|t|$):

$$\alpha(0) = 1.087 \pm 0.003 \pm 0.003$$

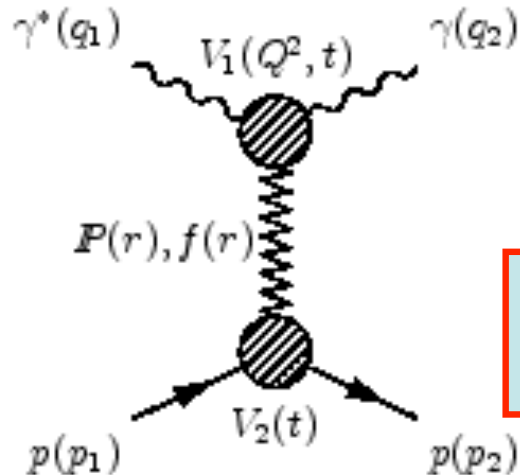
$$\alpha' = 0.126 \pm 0.013 \pm 0.012 \text{ GeV}^{-2}$$



A model for the amplitude

M. Capua, S. Fazio, R. Fiore, L. Jenkovszky, F. Paccanoni

Published in: **Physics Letters B645 (Feb. 2007) 161-166**



$$V_1 = e^{b\beta(z)}$$

$$V_2 = e^{b\alpha(t)}$$

A new variable is introduced: $z = t - Q^2$

Applications for the model can be:

- Study of various extreme regimes of the scattering amplitude vs Q^2, W, t (perturbative \rightarrow unperturbative QCD)
- Study of GPD_s

DVCS amplitude:
$$A(s, t, Q^2)_{\gamma^* p \rightarrow \gamma p} = -A_0 V_1(t, Q^2) V_2(t) (-is/s_0)^{\alpha(t)}$$

the t dependence at the vertex $pIPp$ is introduced by:
$$\alpha(t) = \alpha(0) - \alpha_1 \ln(1 - \alpha_2 t)$$

the vertex $\gamma^* IP \gamma$ is introduced by the trajectory:
$$\beta(z) = \beta(0) - \beta_1 \ln(1 - \beta_2 z)$$

indicating with: $L = \ln(-is/s_0)$ the DVCS amplitude can be written as:

$$A(s, t, Q^2)_{\gamma^* p \rightarrow \gamma p} = -A_0 e^{b\alpha(t)} e^{b\beta(z)} (-is/s_0)^{\alpha(t)} = -A_0 e^{(b+L)\alpha(t) + b\beta(z)}$$

$$Q^2 \rightarrow \tilde{Q}^2 = Q^2 + M_V^2 \quad \Rightarrow \quad \text{Model is general: it can be easily extended to VMP}$$

S. F., R. Fiore, L.L. Jenkovszky, A. Lavorini

$$\tilde{Q}^2 = Q^2 + M_i^2 \quad \text{where } i = 0 \text{ for DVCS and } M_\rho \text{ or } M_{J/\psi} \text{ for } \rho \text{ or } J/\psi \text{ VM}$$

$$\frac{d\sigma(s, t, \tilde{Q}^2)}{dt} = \frac{\pi}{s^2} |A(s, t, \tilde{Q}^2)|^2$$

$$\sigma_{el}^{1P}(s, \tilde{Q}^2) \approx \left[\frac{1}{B(s, t, \tilde{Q}^2)} \frac{d\sigma(s, t, \tilde{Q}^2)}{dt} \right]_{t=0} = \frac{2\pi\alpha' |A_0|^2 (s/s_0)^{(\alpha_0/2)}}{(1 + \alpha_2 \tilde{Q}^2)^{(2b_1\alpha_1)+1}} \cdot b_2 [b_1 + \log_e(s/s_0)]$$

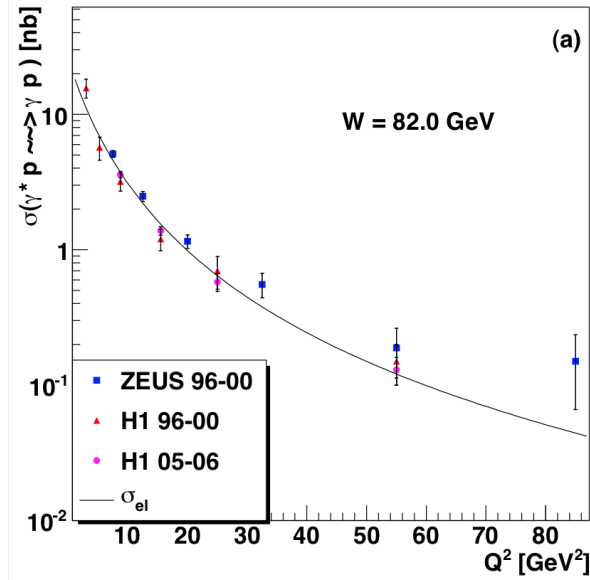
Fixed parameters

Single Pomeron Model

$\alpha_0 = \beta_0$	$\alpha_1 = \beta_1$	$\alpha_2 = \beta_2$	b_1	s_0
1.09	2.00	0.125	2.00	1.00

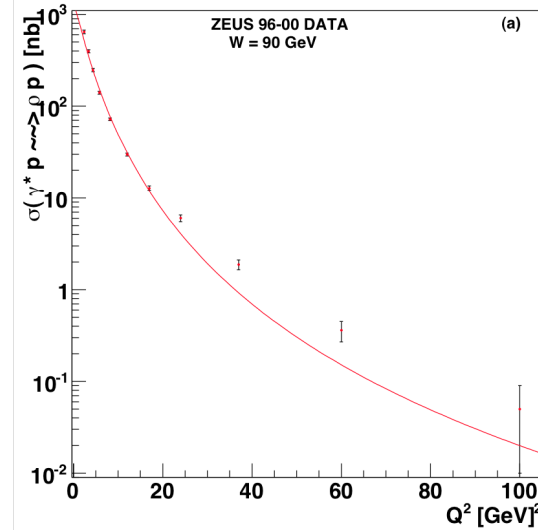
Table 1: *Parameters values for Single Pomeron Model.*

DVCS

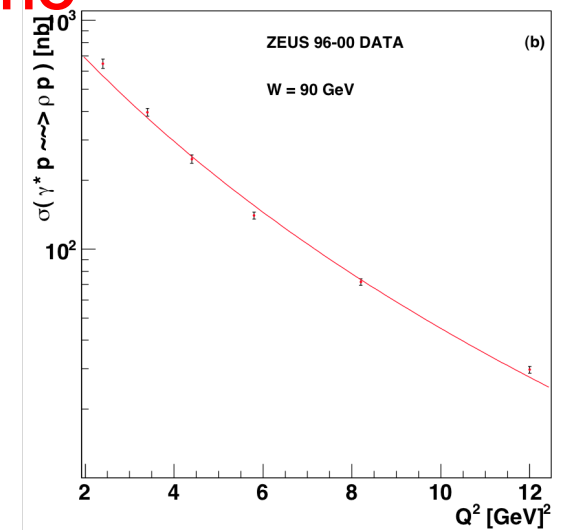


b_2	$ A_0 ^2$	$\tilde{\chi}^2$
0.64 ± 0.03	0.13 ± 0.01	1.58

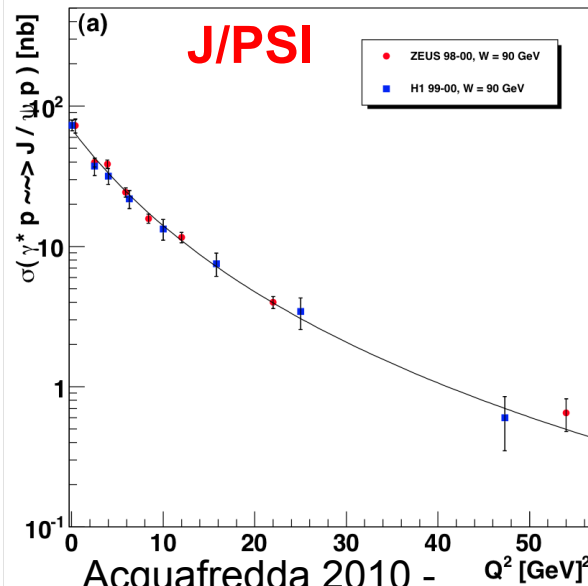
RHO



b_2	$ A_0 ^2$	$\tilde{\chi}^2$
1.10 ± 0.02	9.73 ± 0.45	9.52



b_2	$ A_0 ^2$	$\tilde{\chi}^2$
1.19 ± 0.02	1.21 ± 0.62	5.85



b_2	$ A_0 ^2$	$\tilde{\chi}^2$
0.87 ± 0.03	5.16 ± 0.64	0.54

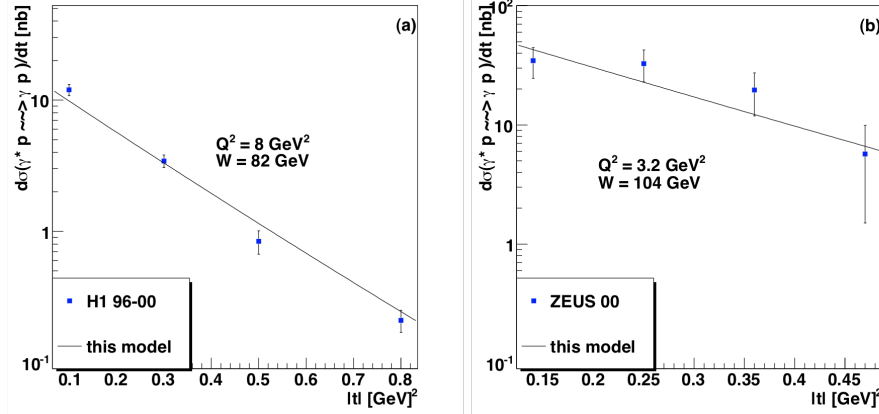
ZEUS 98-00; H1 99-00; $W = 90.0 \text{ GeV}$; $t = 0.17$.

Acquafrredda 2010 -
Sept. 05-10

S. Fazio

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DVCS



$$(a) \quad d\sigma_{(\gamma^* p \rightarrow \gamma p)}/dt (|t|)$$

b_2	$ A_0 ^2$	$\tilde{\chi}^2$
0.64	0.021 ± 0.001	2.46

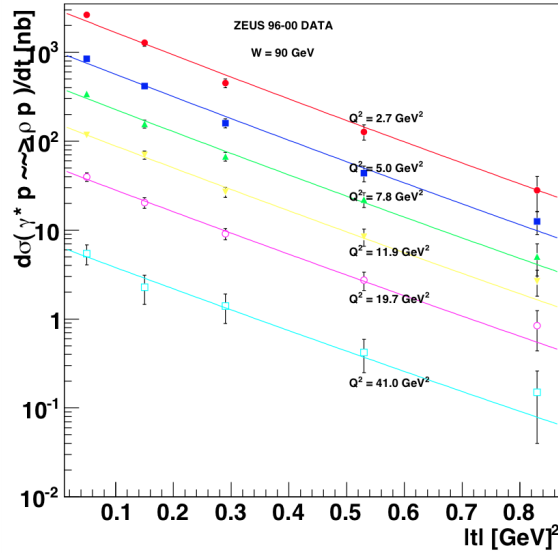
Table 5: *H1 96-00*; $Q^2 = 8.0 \text{ GeV}^2$; $W = 82.0 \text{ GeV}$; $b_2 = 0.64$.

$$(b) \quad d\sigma_{(\gamma^* p \rightarrow \gamma p)}/dt (|t|)$$

b_2	$ A_0 ^2$	$\tilde{\chi}^2$
0.64	0.043 ± 0.008	0.89

Table 6: *ZEUS 00* ; $Q^2 = 3.2 \text{ GeV}^2$; $W = 104.0 \text{ GeV}$; $b_2 = 0.64$.

RHO

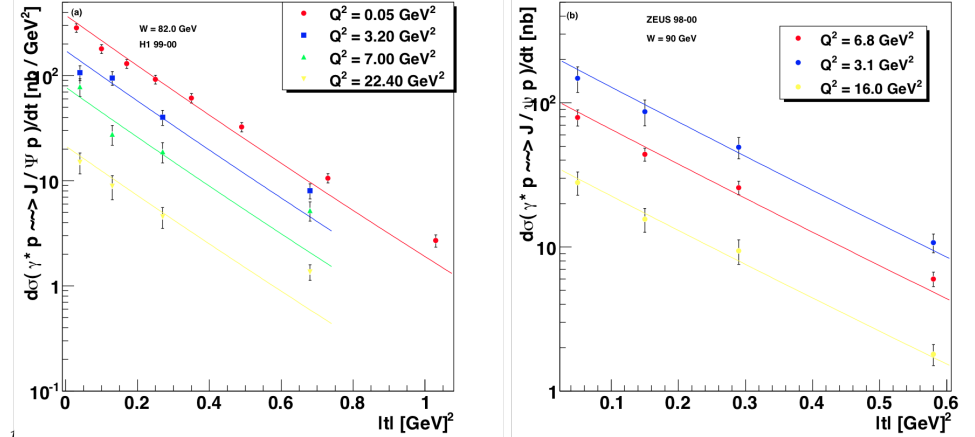


$$d\sigma_{(\gamma^* p \rightarrow \rho p)}/dt (|t|)$$

Q^2	$ A_0 ^2$	$\tilde{\chi}^2$
2.7	0.89 ± 0.04	2.23
5.0	0.49 ± 0.02	1.52
7.8	0.42 ± 0.02	1.28
11.9	0.31 ± 0.02	0.66
19.7	0.32 ± 0.02	0.29
41.0	0.6 ± 0.1	0.29

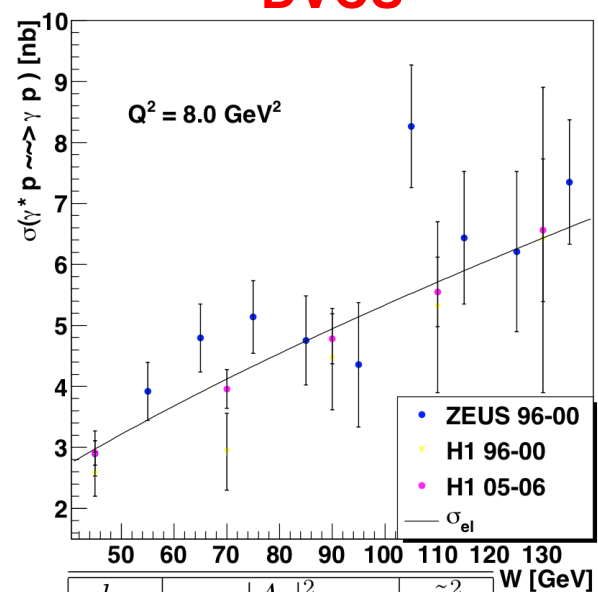
ZEUS 96-00; $W = 90.0 \text{ GeV}$; $b_2 = 1$

J/Ψ



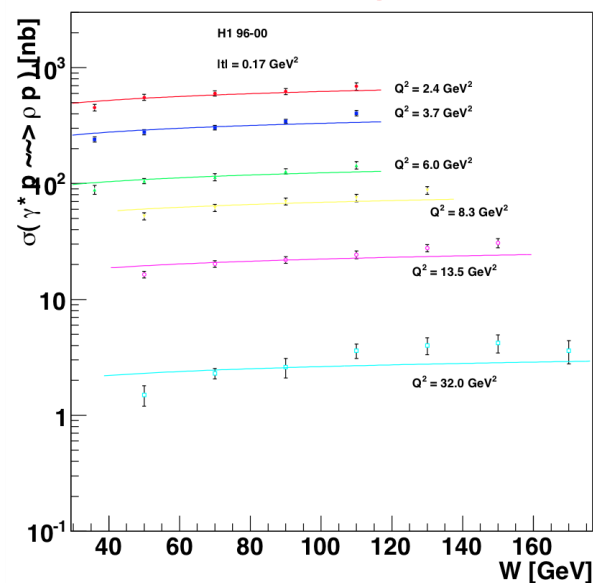
Q^2	$ A_0 ^2$	$\tilde{\chi}^2$
3.1	0.74 ± 0.07	0.90
6.8	0.67 ± 0.04	2.93
16.0	0.70 ± 0.06	0.55

DVCS

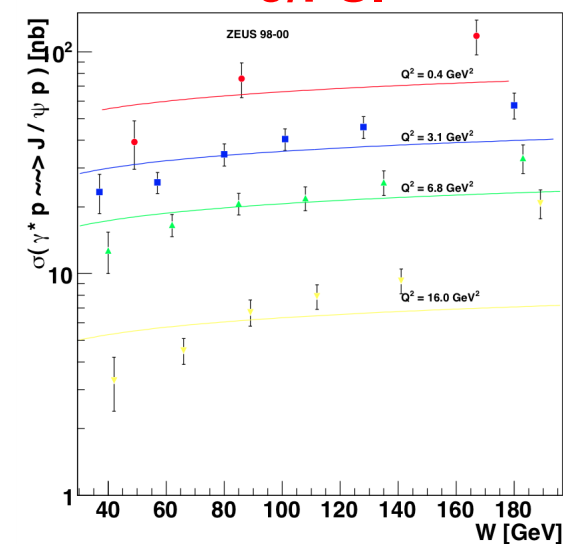


b_2	$ A_0 ^2$	$\tilde{\chi}^2$
0.64	0.141 ± 0.004	1.03

RHO



J/PSI



Model does not describe $\sigma(W)$ at large scale ($Q^2 + M^2$) values with a single Pomeron contribution

Extension of the model

S. F., R. Fiore, L.L. Jenkovszky, A. Lavorini

We may consider the Pomeron as an “effective” one containing the contribution from many particles, each one with a Q^2 -independent trajectory

$$A_{tot} = A_s + h \cdot A_h$$

$$A_i(s, t, Q^2)_{\gamma^* p \rightarrow \gamma p} = -A_0 e^{b\alpha(t)} e^{b\beta(z)} \left(-is/s_0\right)^{\alpha(t)} = -A_0 e^{(b+L)\alpha(t)+b\beta(z)}$$

$$\alpha_i(t) = \alpha(0) - \alpha_1 \ln(1 - \alpha_2 t)$$

$$\beta_i(z) = \beta(0) - \beta_1 \ln(1 - \beta_2 z)$$

i = soft; hard

Soft Pomeron:

$$\alpha_{soft}(t) = 1.08 + 0.25t$$

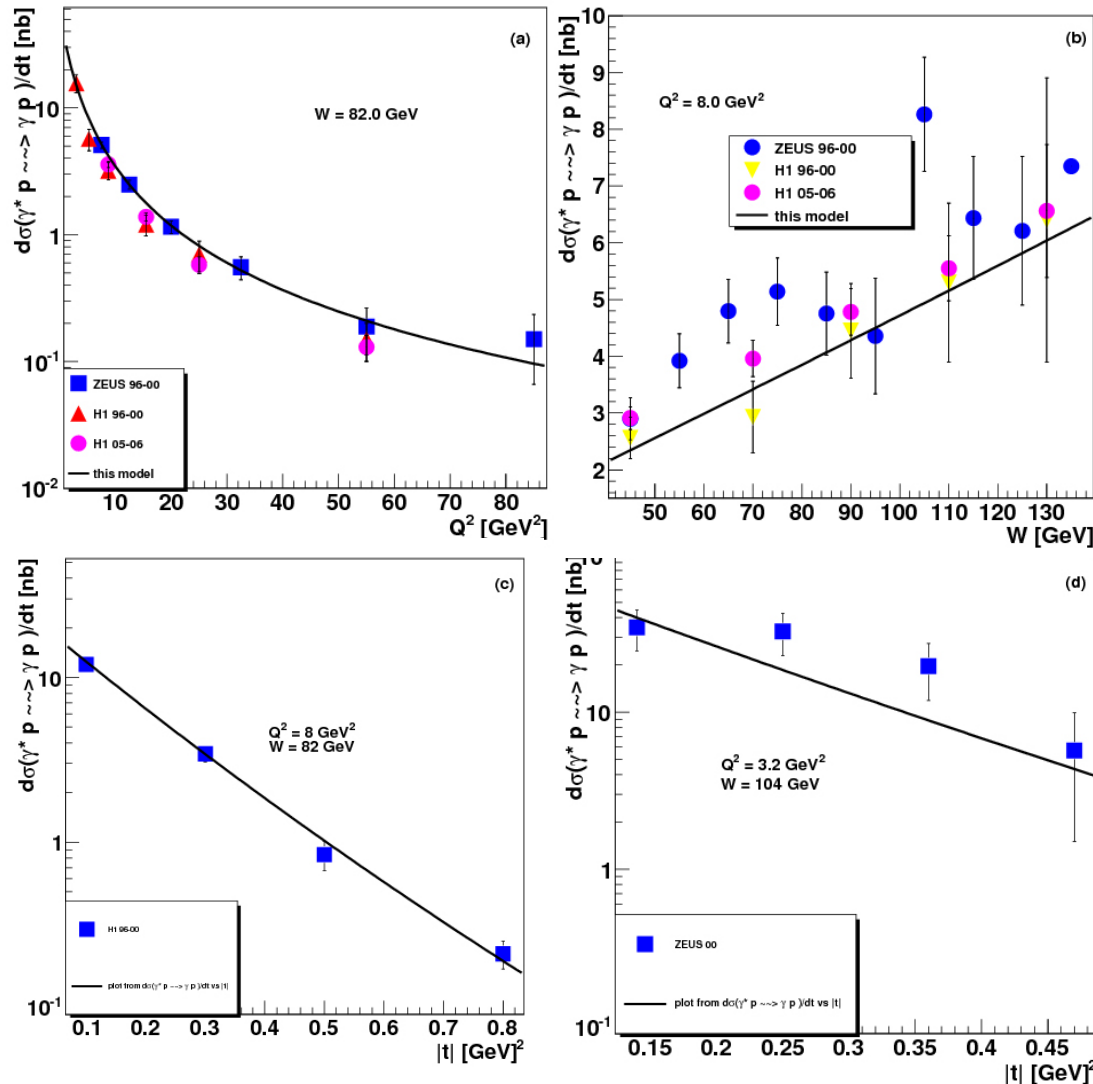
Hard Pomeron:

$$\alpha_{hard}(t) = 1.30 + 0.02t$$

Now we have two “universal”
Pomerons!

DVCS (two Pomerons contribution)

DVCS data collected at HERA



$$A_{tot} = A_s + h \cdot A_h$$

Reggeon contribution found to be negligible at the HERA energy scale

Model compared to $d\sigma/dt$ with all param. fixed and only norm. free

$d\sigma/dt$ agreement with H1 improved

$$\alpha_s(0) = 1.09$$

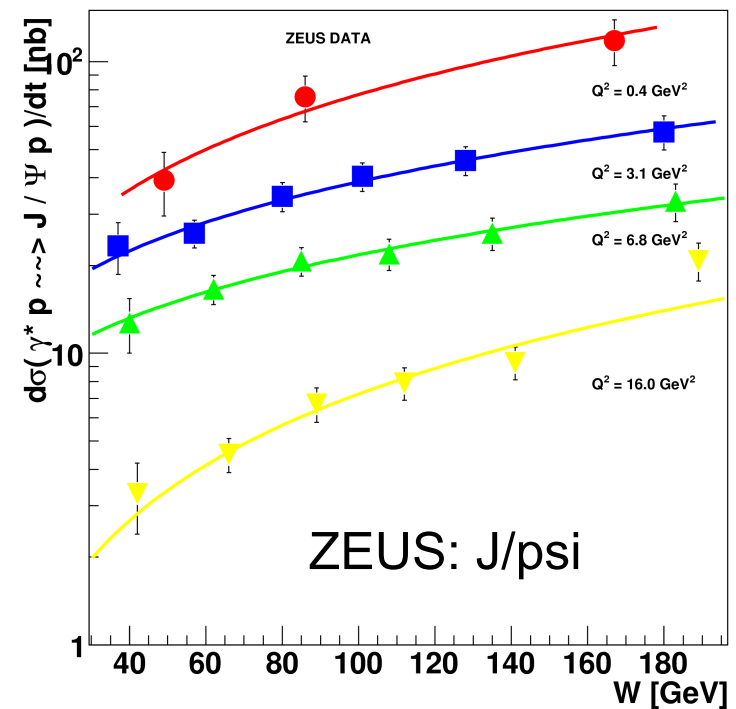
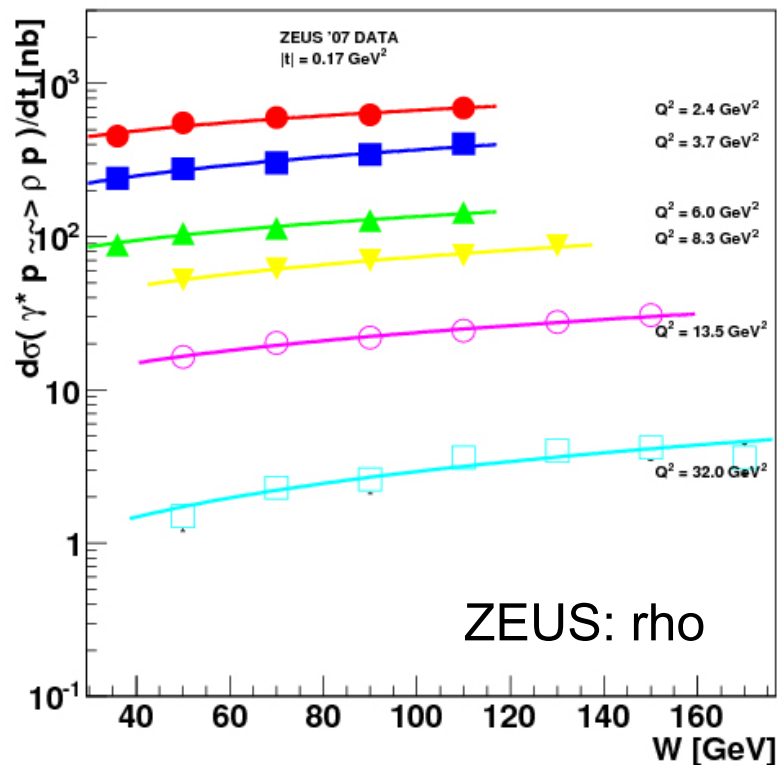
$$\alpha_h = 1.30$$

$$\alpha'_s = 0.25$$

$$\alpha'_h = 0.02$$

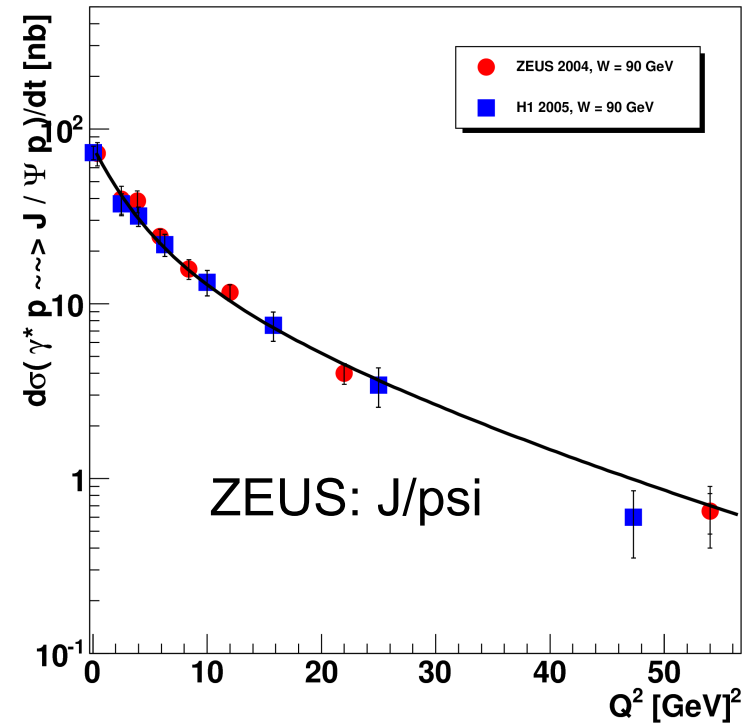
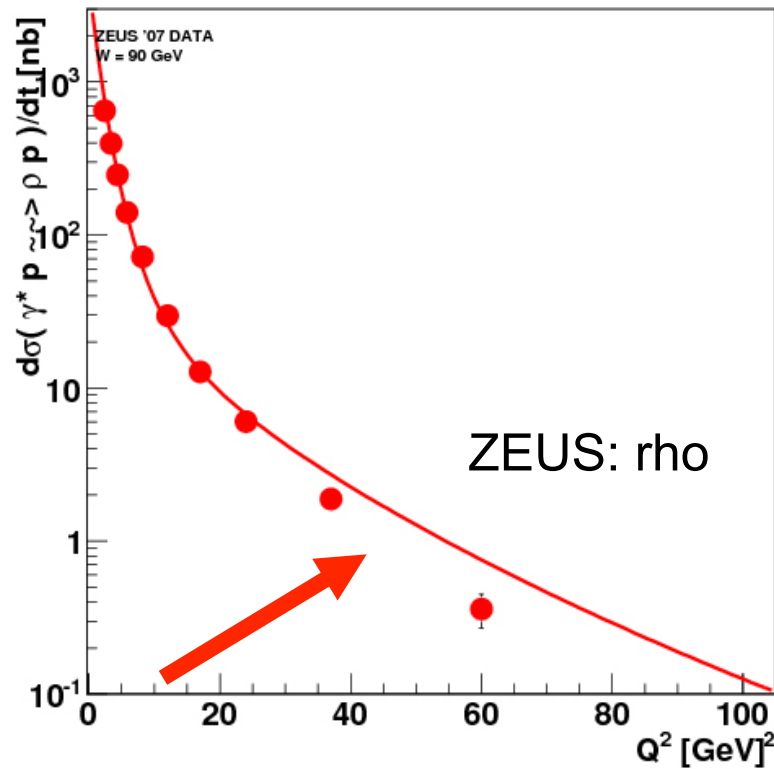
VM (two Pomerons contribution)

$$A_{tot} = A_s + h \cdot A_h$$



Successful description of the total xsec. in energy

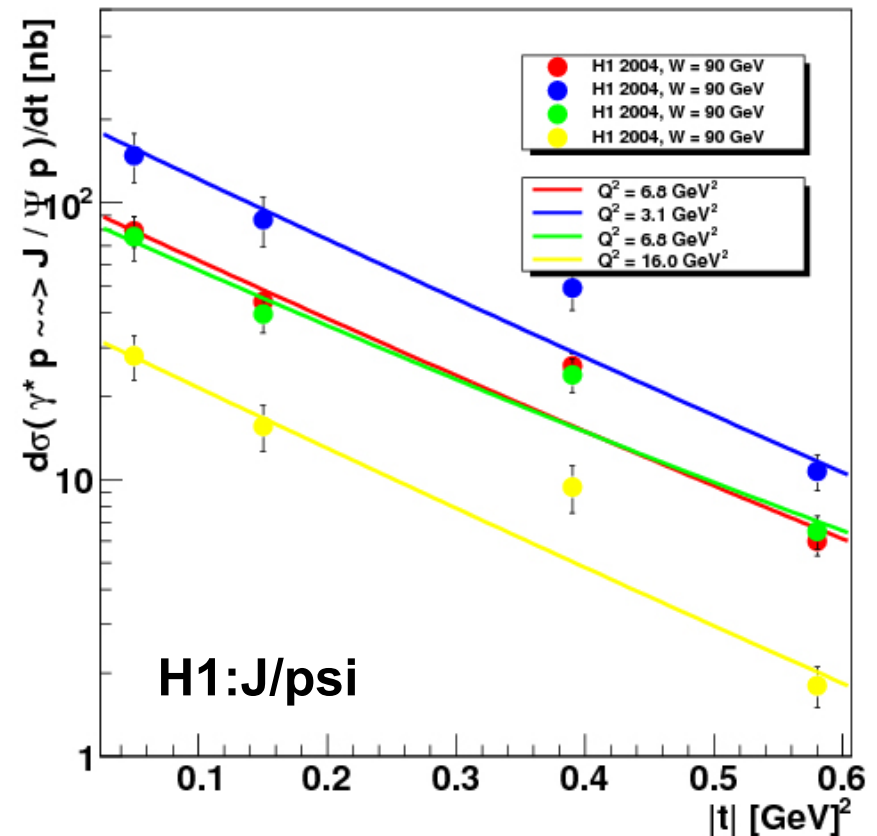
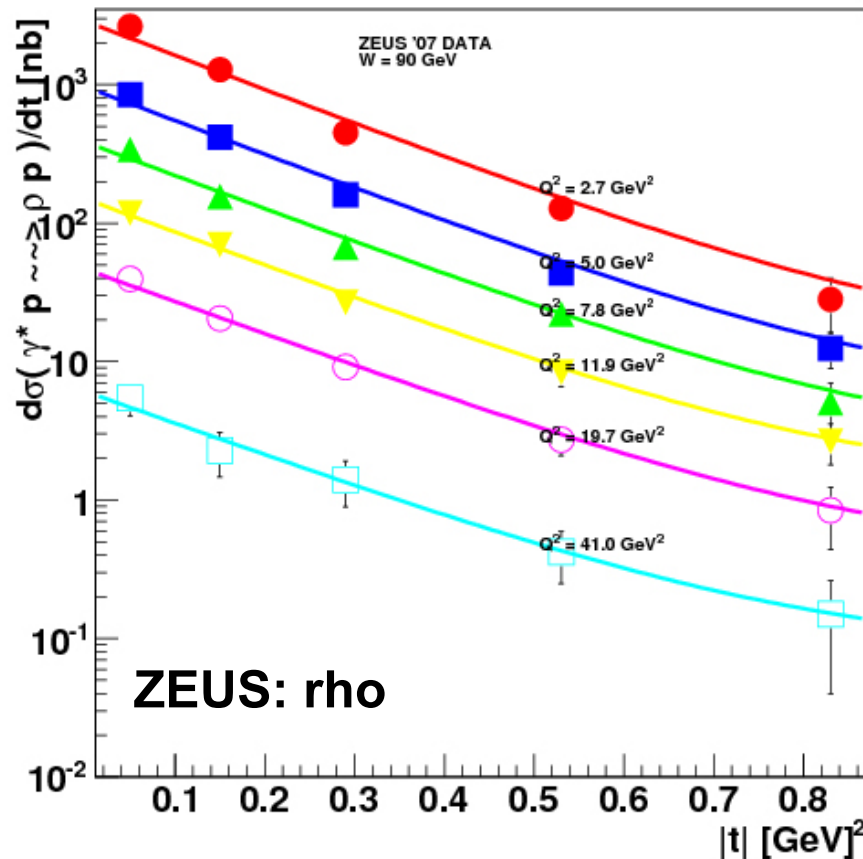
VM (two Pomerons contribution)



The model provides a good description of the $\sigma(Q^2)$ for J/ψ but it still fails to describe ρ^0 at high Q^2

VM (two Pomerons contribution)

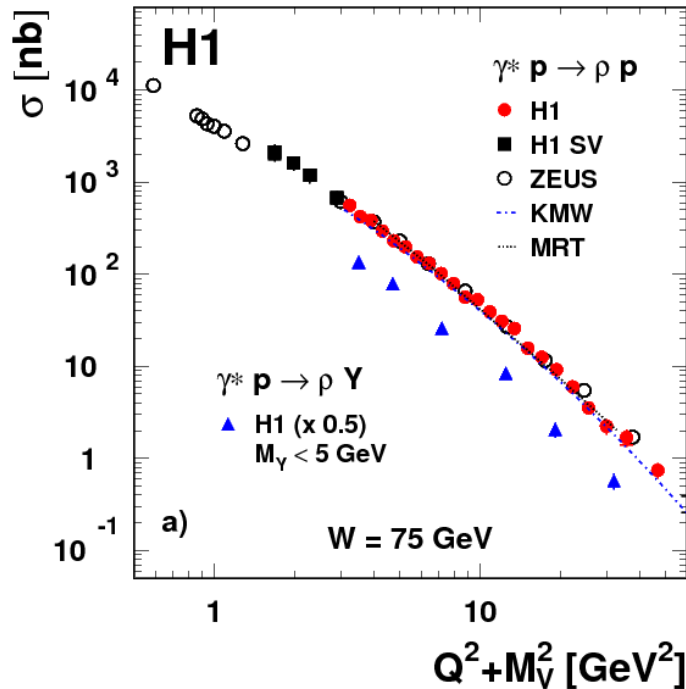
Model compared to $d\sigma/dt$ with all param. fixed and only norm. free



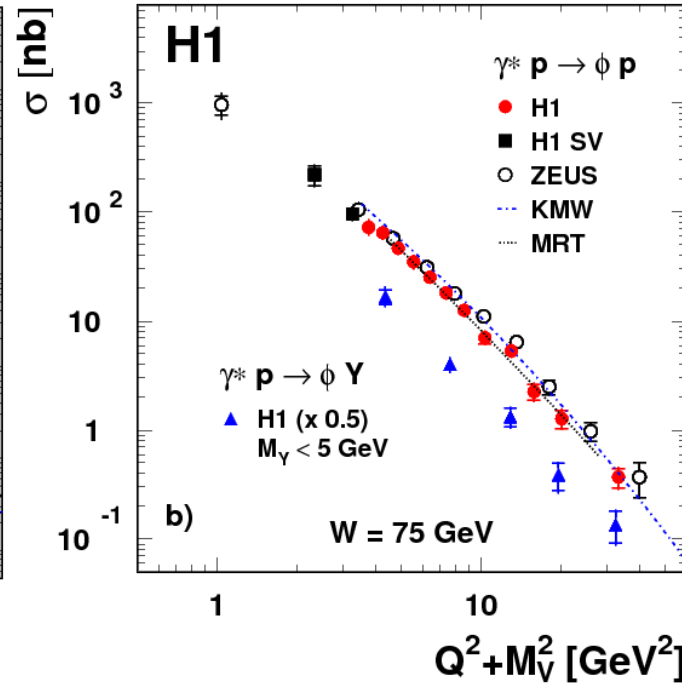
The model reproduces the $d\sigma/dt$, especially at high Q^2

Q²-dependence

ρ^0 ($M^2_{\rho} = 0.5 \text{ GeV}^2$)



ϕ^0 ($M^2_{\phi} = 1 \text{ GeV}^2$)



$$\sigma \propto (Q^2 + M^2)^{-n}$$

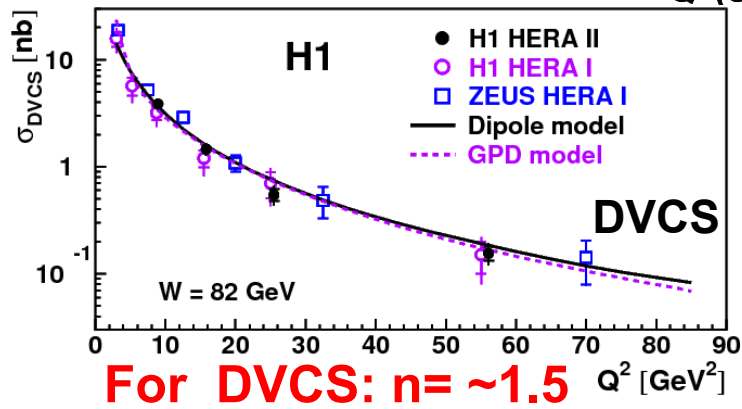
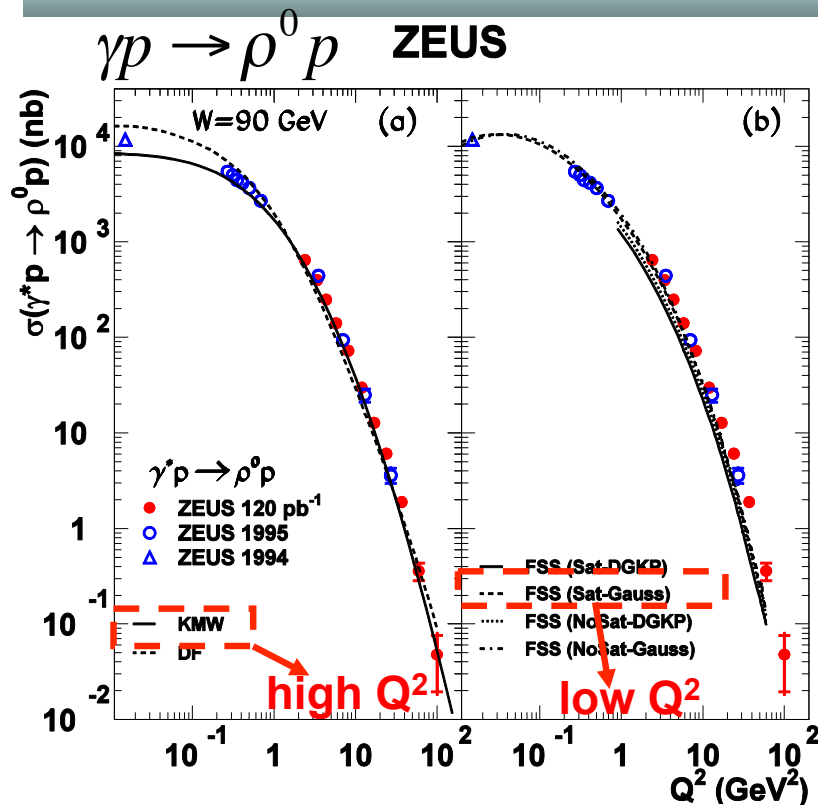
Fit to whole Q² range
gives bad χ^2/dof

Good H1/ZEUS agreement

- $Q^2 \geq 0 \text{ GeV}^2$, $n \approx 2.00 \pm 0.01$, $\chi^2/\text{ndf} \sim 10$ ($n \neq \text{const}$)
- $Q^2 \geq 10 \text{ GeV}^2$, $n \approx 2.50 \pm 0.02$, $\chi^2/\text{ndf} \sim 1.5$

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Q^2 -dependence

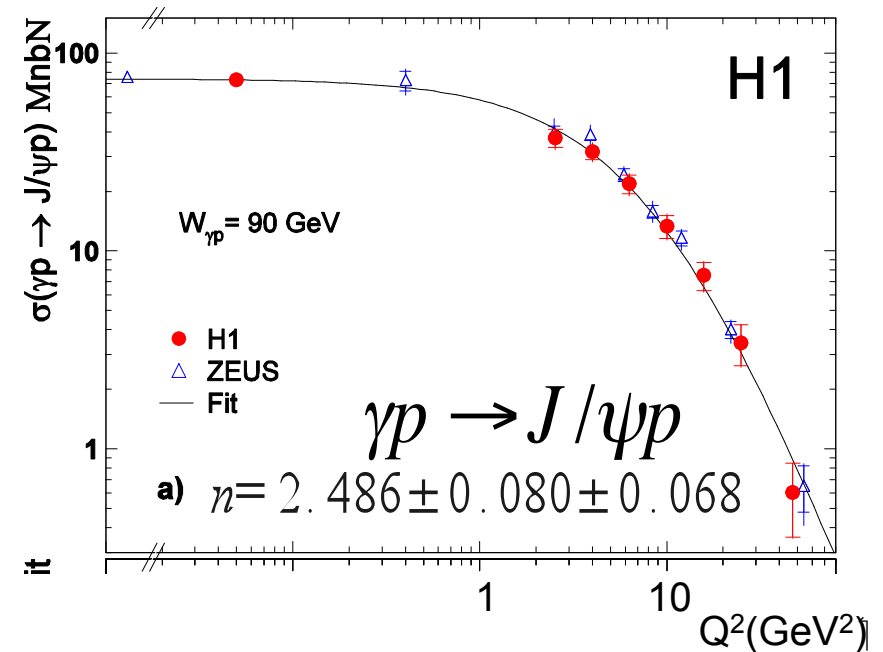


$$\sigma \propto (Q^2 + M^2)^{-n}$$

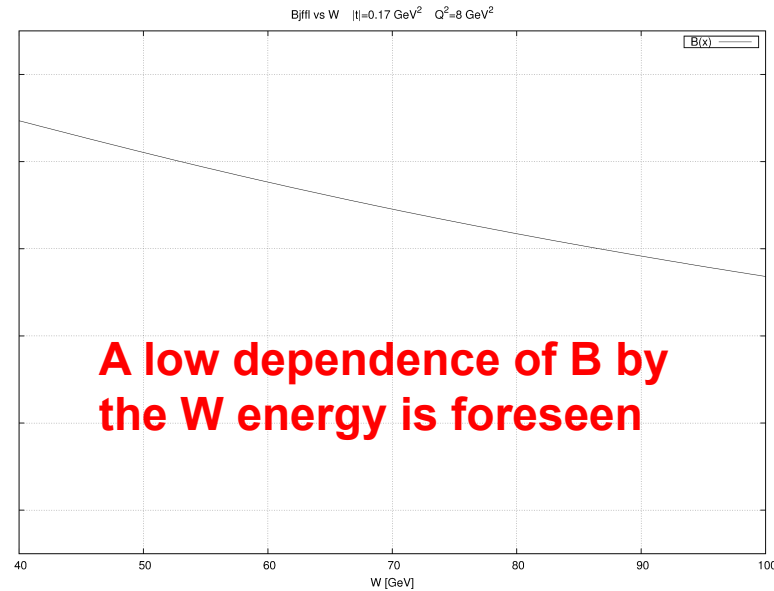
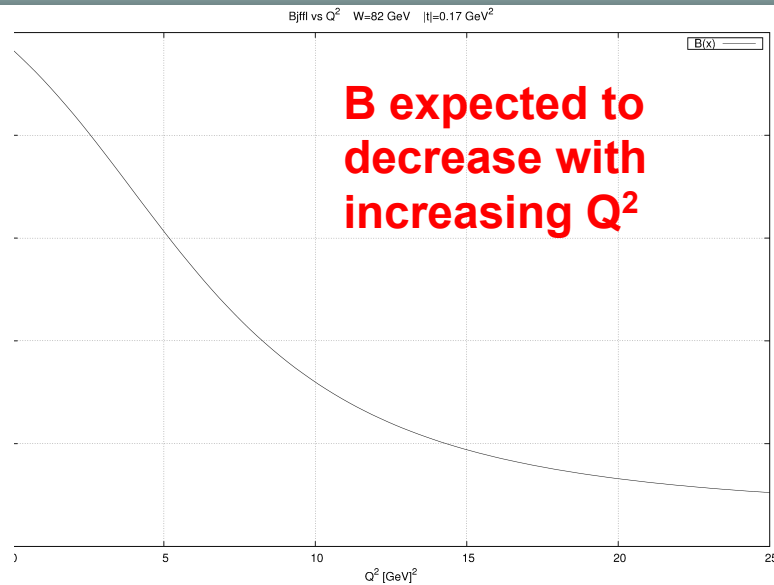
Fit to whole Q^2 range
gives bad χ^2/df (~ 70)



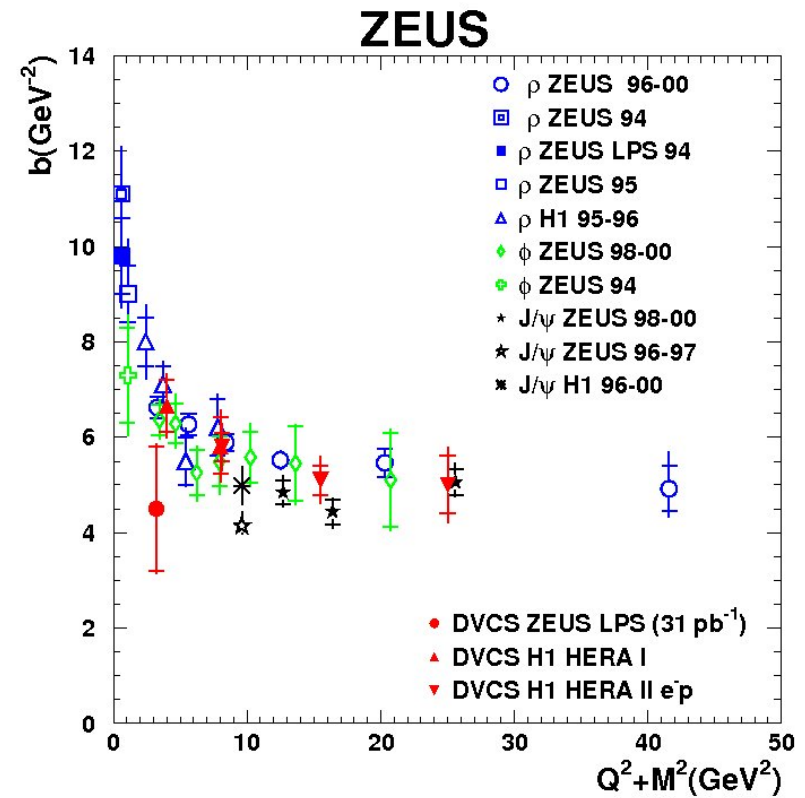
n increasing with Q^2 appears
to be favored



B dependence



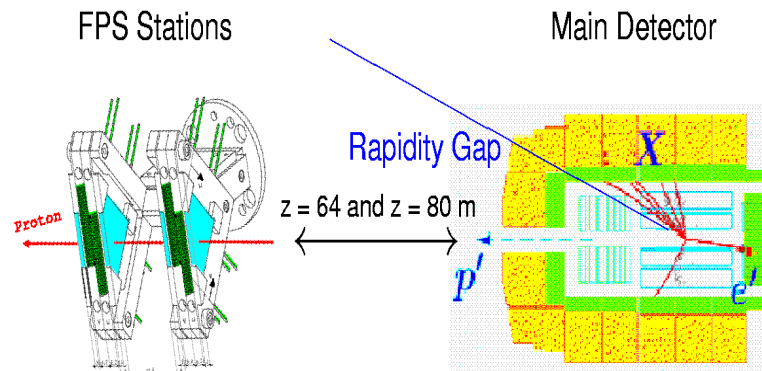
$$B = \frac{d}{dt} \ln \left(\frac{d\sigma}{dt} \right)$$



Summary & outlook

- **A lot of experience carried over from HERA**
 - **EIC forward program can sensibly improve HERA**
- **DVCS is the best tool for GPDs investigation**
- **A logarithmic Pomeron trajectory can reproduce DVCS data.**
- **A Regge-type model describes both DVCS and VMP processes**
 - **Next step will be to use our model for GPD calculations: real and imaginary parts of the DVCS amplitude explicitly contained in the model**

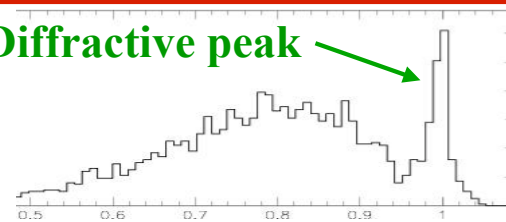
Back up



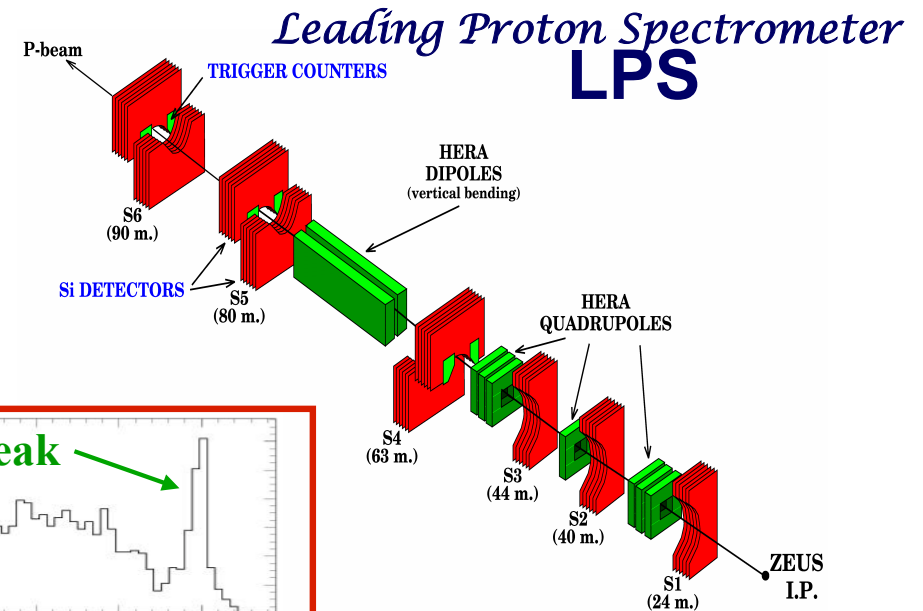
p tag method

- o Measurement of t
- o Free of p-diss background
- o Higher M_X range
- o Lower acceptance

Diffractive peak



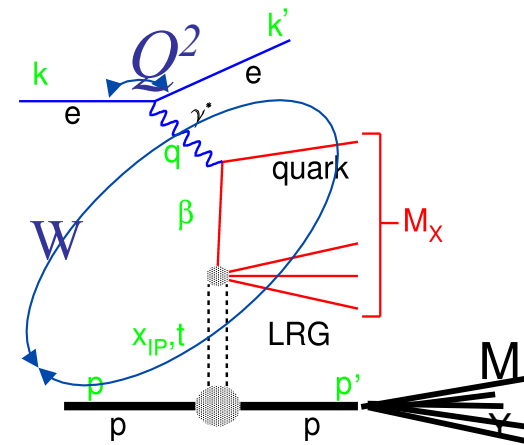
$$x_L = \frac{p'_z}{p_z} \approx 1 - x_{IP}$$



NB: if scattered proton not detected, background from proton dissociative events

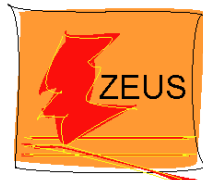
Large Rapidity Gap method

- ❑ X system and e' measured
- ❑ System Y not measured, some theoretical and experimental uncertainties
- ❑ Integrate over $t < 1 \text{ GeV}^2$ and $M_Y < 1.6 \text{ GeV}$
- ❑ High acceptance



DVCS @ ZEUS – Selection criteria

$$L = 61.14 \text{ pb}^{-1}$$



- **99e⁺-00 ZEUS data**
- **Two Sinistra candidates**
- **First candidate in RCAL**
- **Second candidate in RCAL or in BCAL**
- **1 or 0 tracks**
- **rear box cuts**
- **Elasticity cut**
- **Energy in FCAL < 1 GeV and in FPC < 1GeV**
- **-100 < Zvtx < 50 cm**

Monte Carlos:

GenDVCS (400k DVCS events)
Grape-Compton (400k el. BH events
400k inel. BH events)
Grape-dilepton (150k dilepton events
150k inel. dilep. events)
DiffVM $J/\psi \longrightarrow e^+e^+$

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Kinematic region:

$$1.5 < Q^2 < 100 \text{ GeV}^2$$

$$40 < W < 170 \text{ GeV}$$

Energies & angle:

$$E_1 > 10 \text{ GeV}$$

$$E_2 > 2 \text{ GeV}$$

$$\theta_2 < 2.85$$

PLB 573 (2003) 46-62

Kinematic region:

$$5 < Q^2 < 100 \text{ GeV}^2$$

$$40 < W < 140 \text{ GeV}$$

Energies & angle:

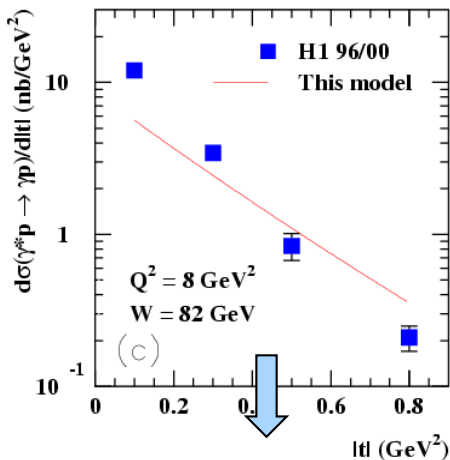
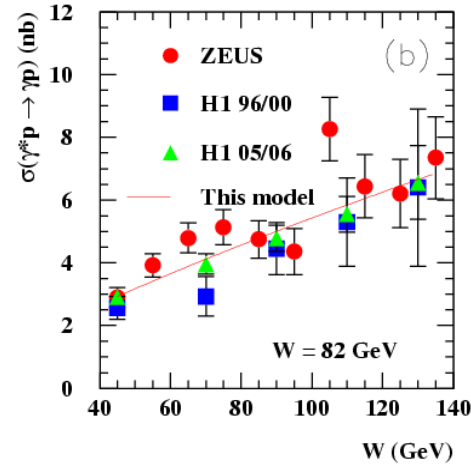
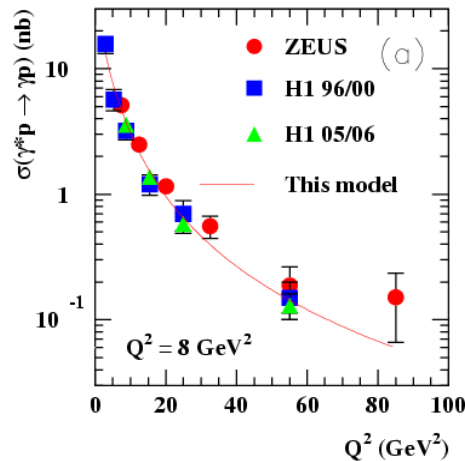
$$E_1 > 15 \text{ GeV}$$

$$E_2 > 2.5 \text{ GeV}$$

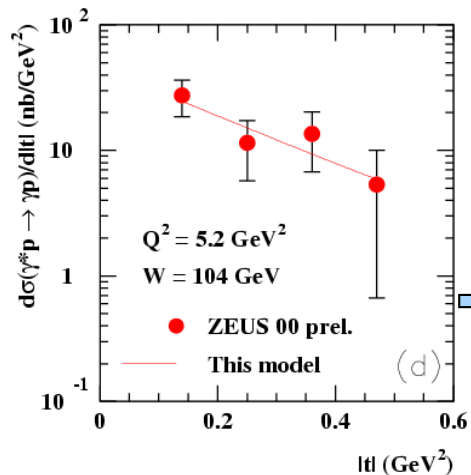
$$\theta_2 < 2.75$$

A single “effective” Pomeron in DVCS

DVCS data collected at HERA



Disagreement with H1 measurement



$$\frac{d\sigma}{dt}(s, t, Q^2) = \frac{\pi}{s^2} \left| A(s, t, Q^2) \right|^2$$

Fit was performed on $\sigma(Q^2)$ and $\sigma(W)$

$\alpha(0) \sim 1.2 \approx \alpha(0) \text{ hard}$

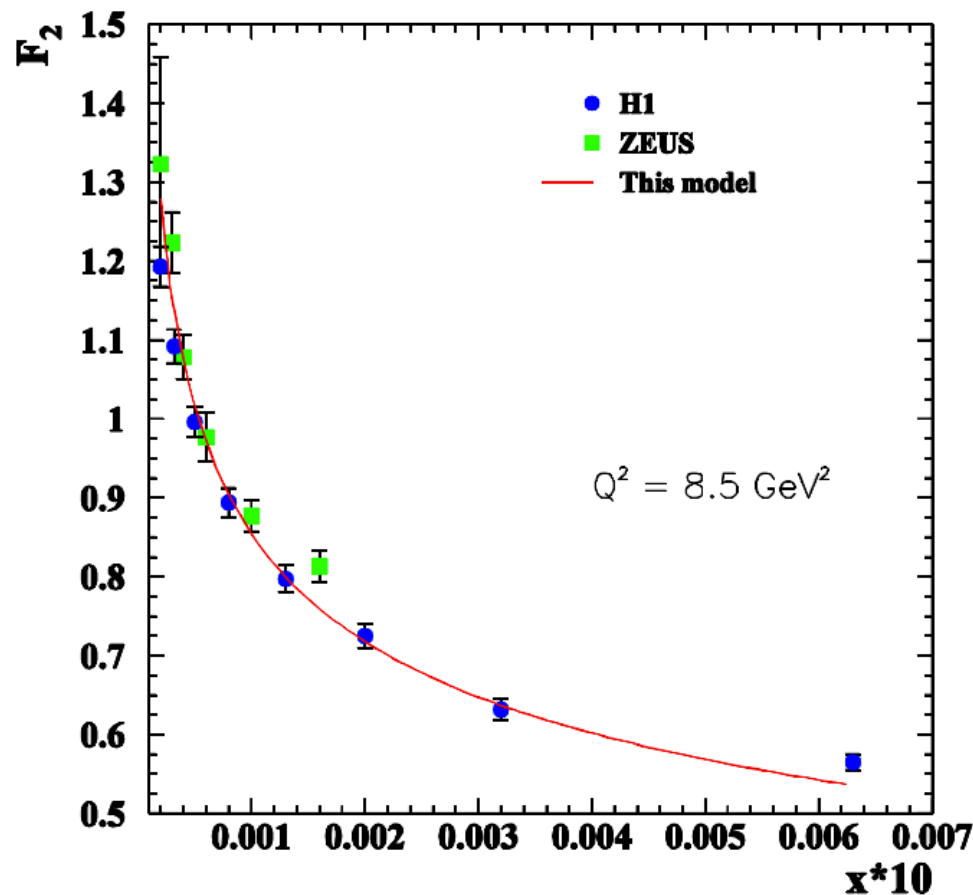
$\alpha' \sim 0.25 \approx \alpha' \text{ pp coll.}$

As for hh interactions

Model compared to $d\sigma/dt$ with all param. fixed and only norm. free

F_2 structure function

Comparison between HERA data and the model for $F_2(s, Q^2)$ DIS structure function



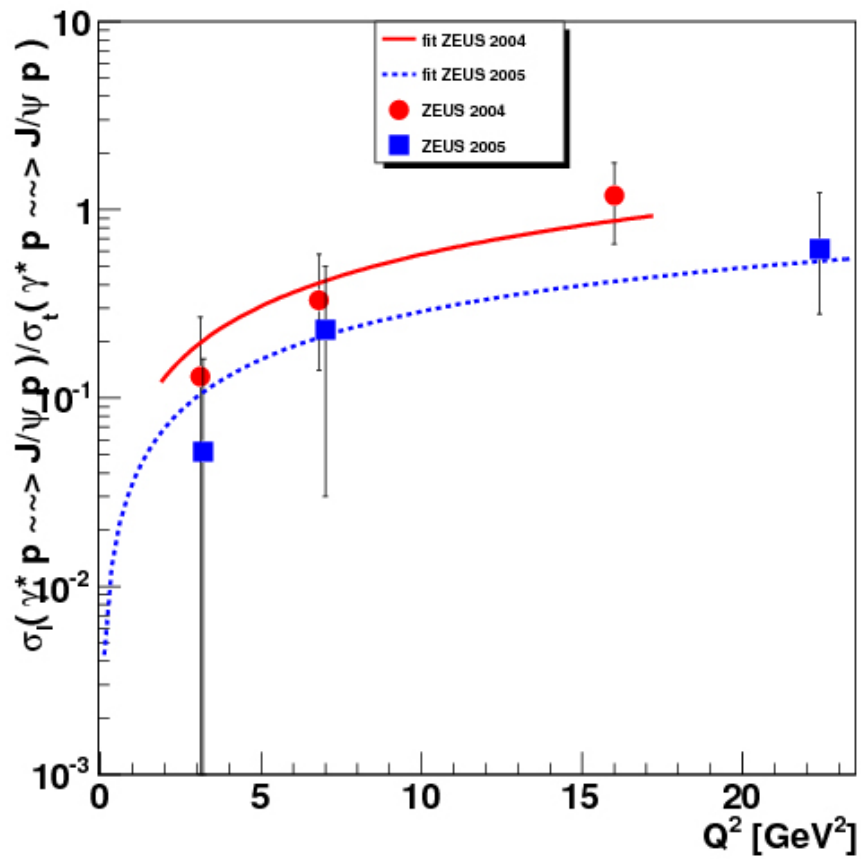
$$F_2(s, Q^2) \approx \frac{(1-x)Q^2}{\pi\alpha_e} \Im A(s, Q^2)/s$$

All parameter fixed like in our model

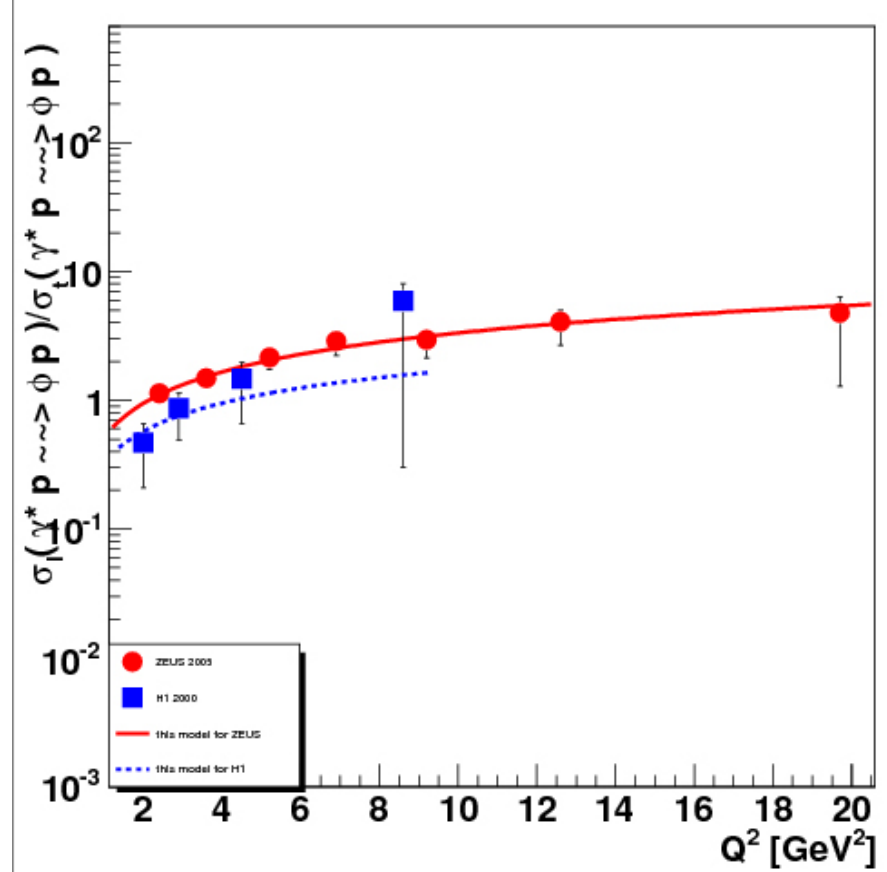


Really good agreement!

The model reproduces experimental data at small x and moderate Q^2



Acquafrredda 2010 -
Sept. 05-10



S. Fazio

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